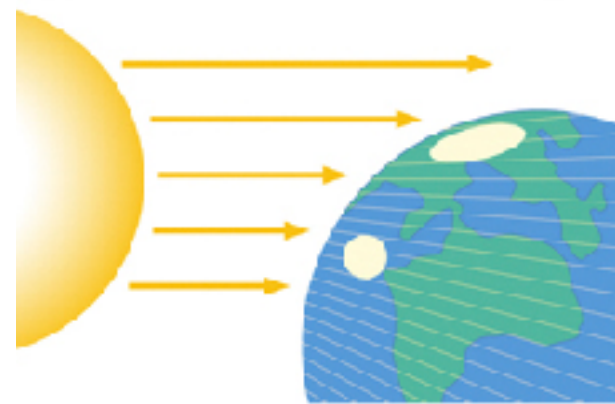




第二章:

大气环流的外部强迫(II)



授课教师: 张洋

2019.9.25



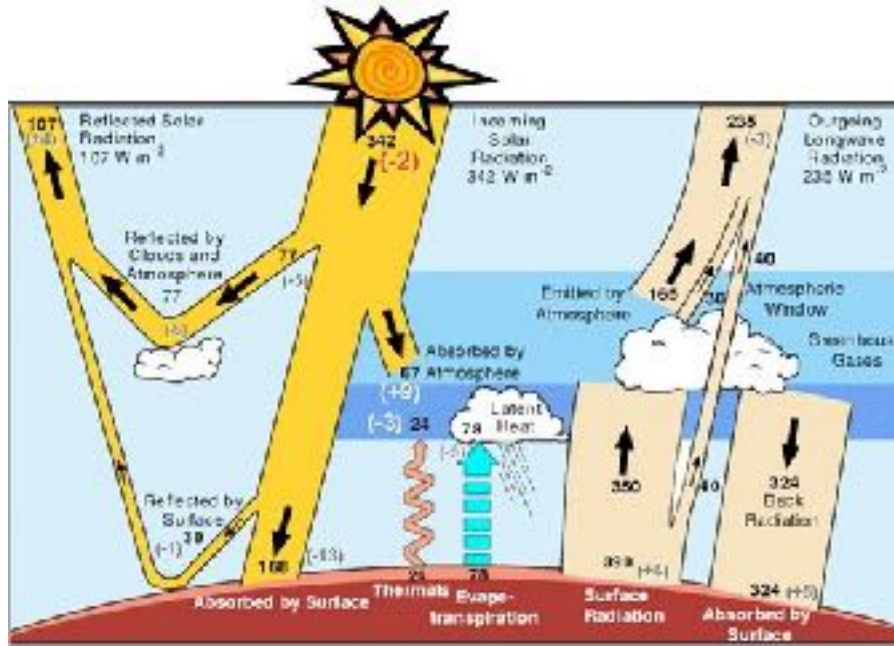
Outline



- Global averaged feature
 - TOA (Top of the atmosphere)
 - Surface
- Latitudinal distribution (zonal averaged feature)
 - TOA
 - Surface
- Zonal distribution
 - TOA
 - Surface



From the solar radiation...



$$SW \sim LW$$

$$S(1 - \alpha)$$

← TOA

| | |
|-------------------------|------------------------|
| Absorbed solar (SW) | 176 W m ⁻² |
| Downward infrared (LW↓) | 312 W m ⁻² |
| Upward infrared (LW↑) | -385 W m ⁻² |
| Net longwave (LW) | -73 W m ⁻² |
| Net radiation (SW + LW) | 103 W m ⁻² |
| Latent heat (LH) | -79 W m ⁻² |
| Sensible heat (SH) | -24 W m ⁻² |

energy budget

Table: globally and annually averaged **surface** energy budget

Long term, global average: $SW(\text{net}) + LW(\text{net}) + LH + SH \sim 0$ ← surface



From the solar radiation...

Review

| | |
|-----------------------------|----------------------|
| Incident solar radiation | 340 W/m ² |
| Planetary albedo | 0.3 |
| Absorbed solar radiation | 240 W/m ² |
| Outgoing longwave radiation | 240 W/m ² |

$$SW \sim LW$$

$$S(1 - \alpha)$$

← TOA

Table: globally and annually averaged TOA radiation budget

| | |
|-------------------------|------------------------|
| Absorbed solar (SW) | 176 W m ⁻² |
| Downward infrared (LW↓) | 312 W m ⁻² |
| Upward infrared (LW↑) | -385 W m ⁻² |
| Net longwave (LW) | -73 W m ⁻² |
| Net radiation (SW + LW) | 103 W m ⁻² |
| Latent heat (LH) | -79 W m ⁻² |
| Sensible heat (SH) | -24 W m ⁻² |

| | |
|---|-----------------------|
| Absorbed solar radiation (240 - 176) | 64 W m ² |
| Net emitted terrestrial radiation (-240 + 73) | -167 W m ² |
| Net radiative heating | -103 W m ² |
| Latent heat input | 79 W m ² |
| Sensible heat input | 24 W m ² |

energy budget

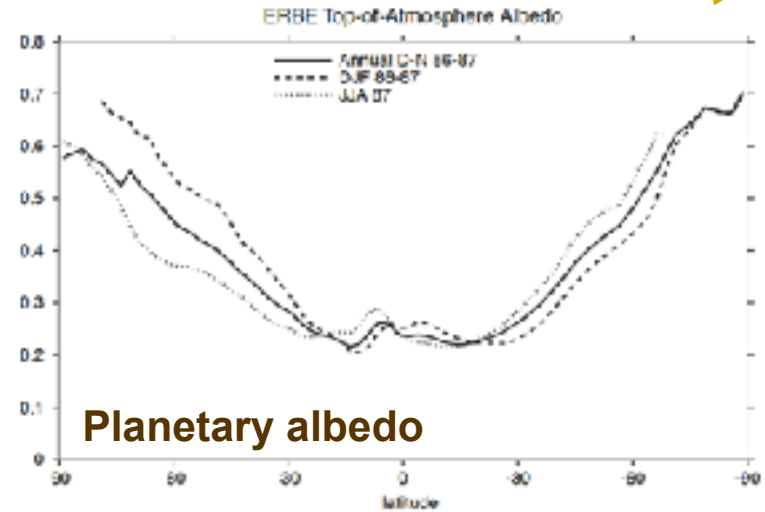
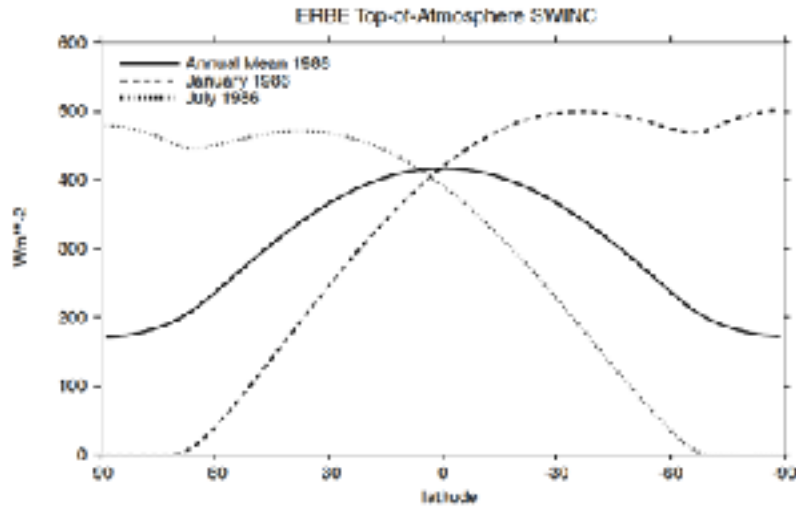
Table: globally and annually averaged atmosphere energy budget

Table: globally and annually averaged surface energy budget

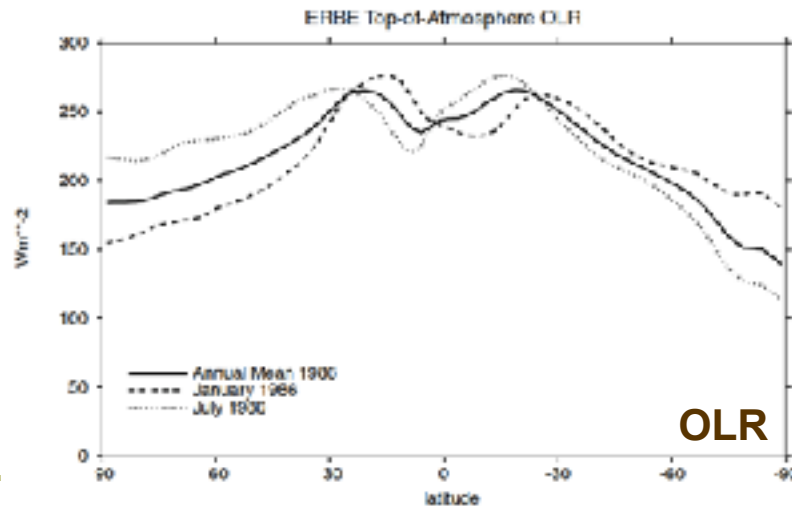
$$S(1 - \alpha) + LH + SH - LW_{net} \sim 0 \quad \leftarrow \text{surface}$$



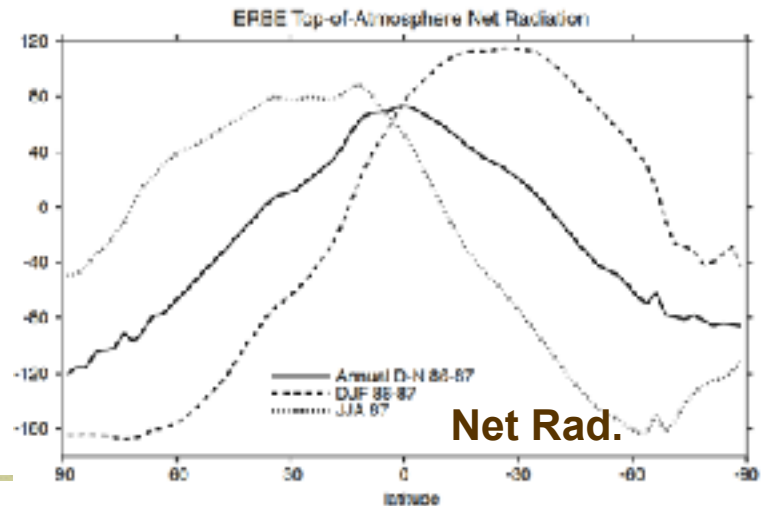
Radiation budget at TOA



Planetary albedo



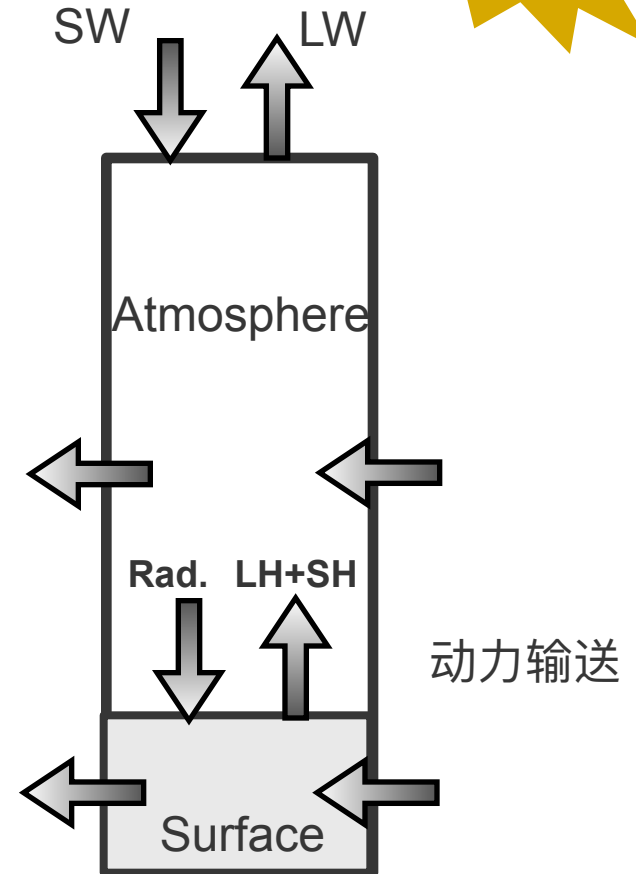
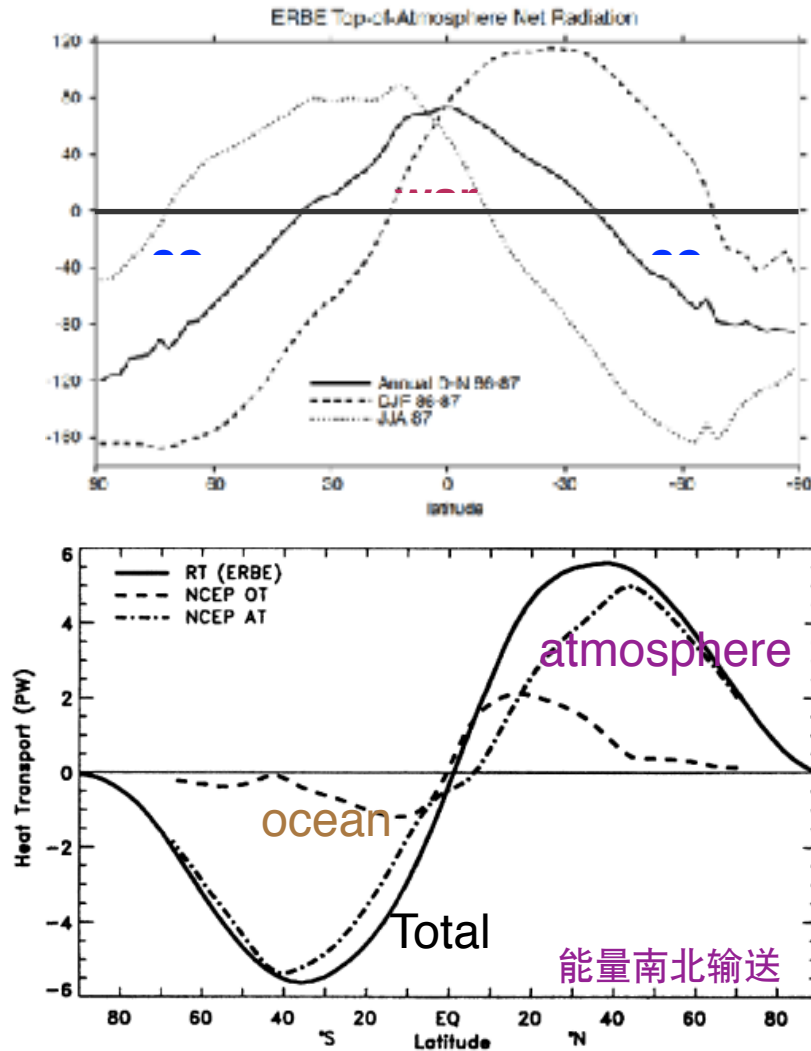
OLR



Net Rad.



Radiation budget at TOA





Energy budget at SURFACE

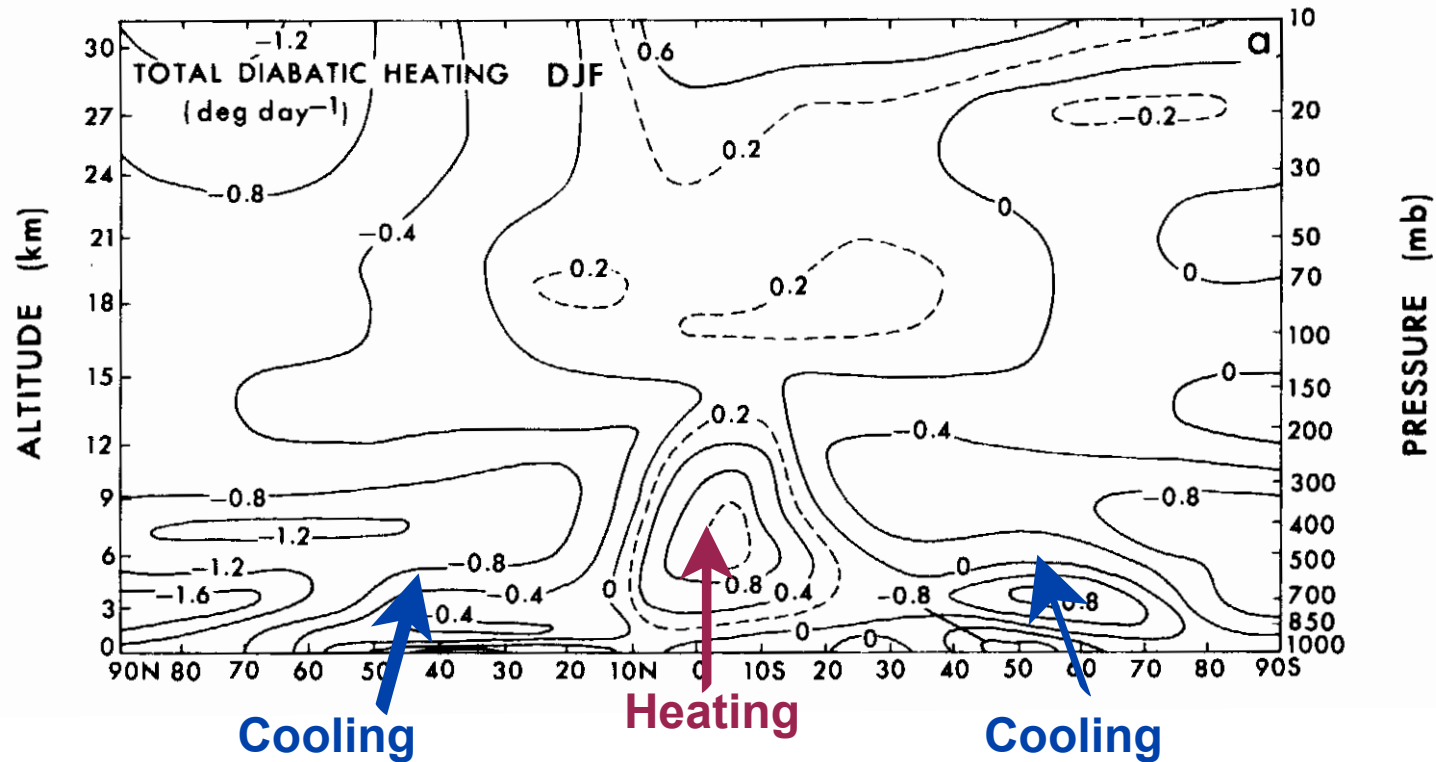


- Strong meridional variation in SW, LH and surface temperature
 - temperature: 250 - 310 K, strong seasonal variation in N.H.
 - absorbed solar radiation: 0 - 280 W/m², strong seasonal variation
 - latent heat: 0 - 150 W/m²



Diabatic heating in atmosphere estimated as residual

Review



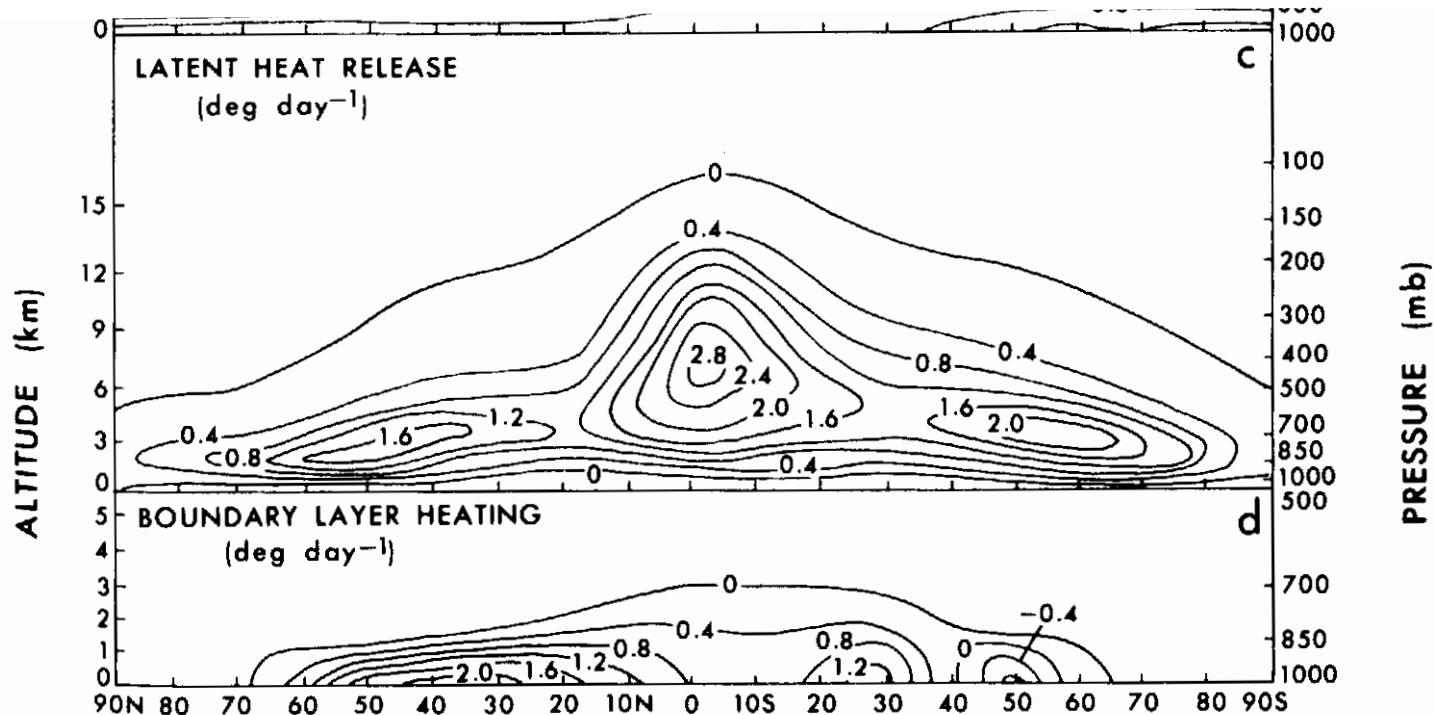
DJF

from Peixoto and Oort, 1992



Diabatic heating in atmosphere estimated as residual

Review



DJF

Latent heating: strongest in the tropics, penetrating over the whole troposphere; in the extratropics, confined in the lower levels;

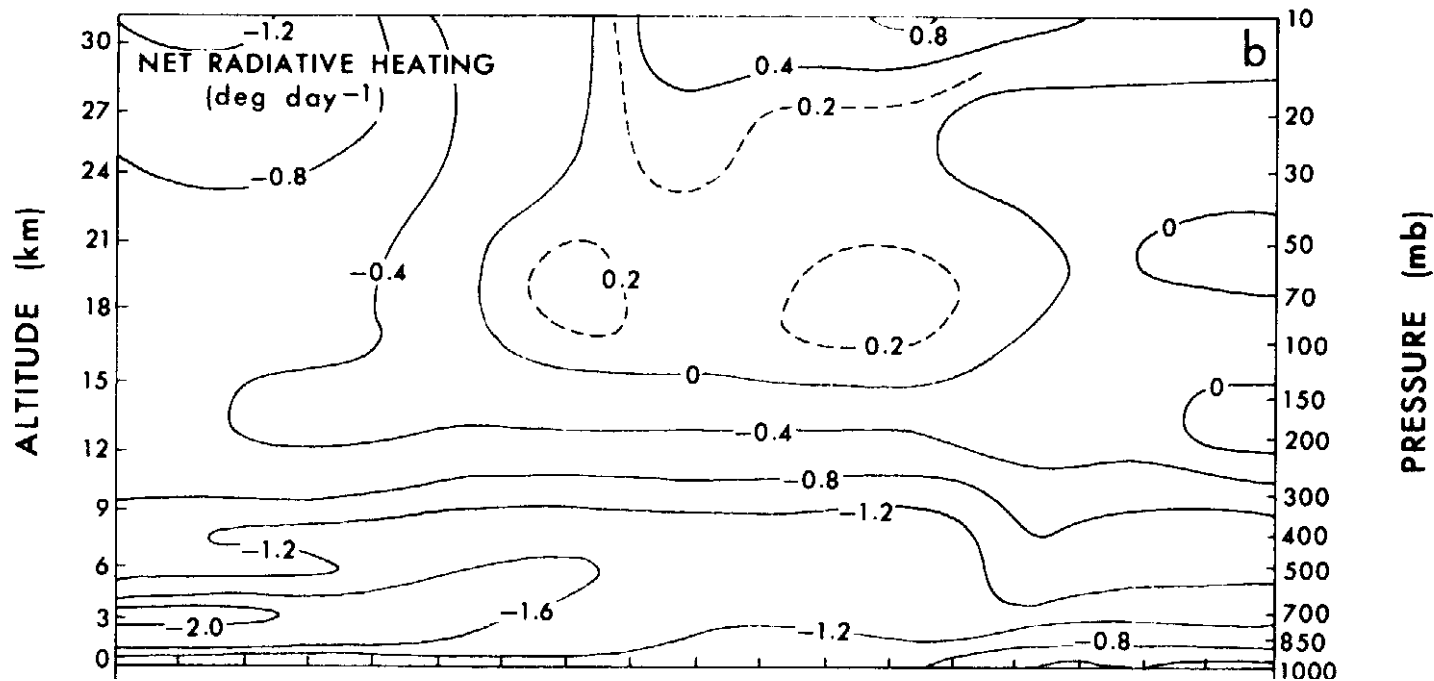
Sensible heating: in the boundary layer and strongest in the extratropics.

from Peixoto and Oort, 1992



Diabatic heating in atmosphere estimated as residual

Review



DJF

Cooling over the troposphere
Small latitudinal variation

from Peixoto and Oort, 1992



Outline



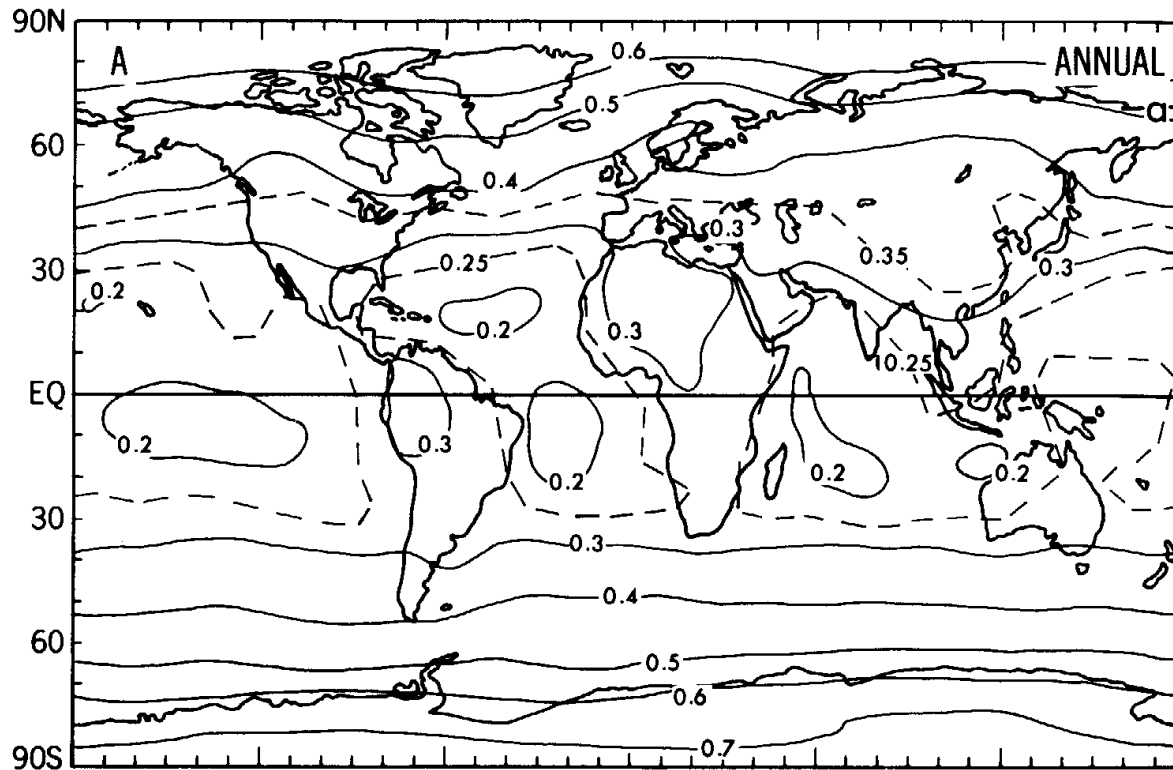
- Global averaged feature
 - TOA (Top of the atmosphere)
 - Surface
- Latitudinal distribution (zonal averaged feature)
 - TOA
 - Surface
- Zonal distribution
 - TOA
 - Surface



Zonal variation of TOA energy flux



■ Planetary albedo



Sample albedos

| Surface | Typical albedo |
|-------------------------|--|
| Fresh asphalt | 0.04 ^[4] |
| Open ocean | 0.06 ^[6] |
| Worn asphalt | 0.12 ^[4] |
| Conifer forest (Summer) | 0.08, ^[6] 0.09 to 0.15 ^[7] |
| Deciduous trees | 0.15 to 0.18 ^[7] |
| Bare soil | 0.17 ^[8] |
| Green grass | 0.25 ^[8] |
| Desert sand | 0.40 ^[8] |
| New concrete | 0.55 ^[8] |
| Ocean ice | 0.5–0.7 ^[8] |
| Fresh snow | 0.80–0.90 ^[8] |

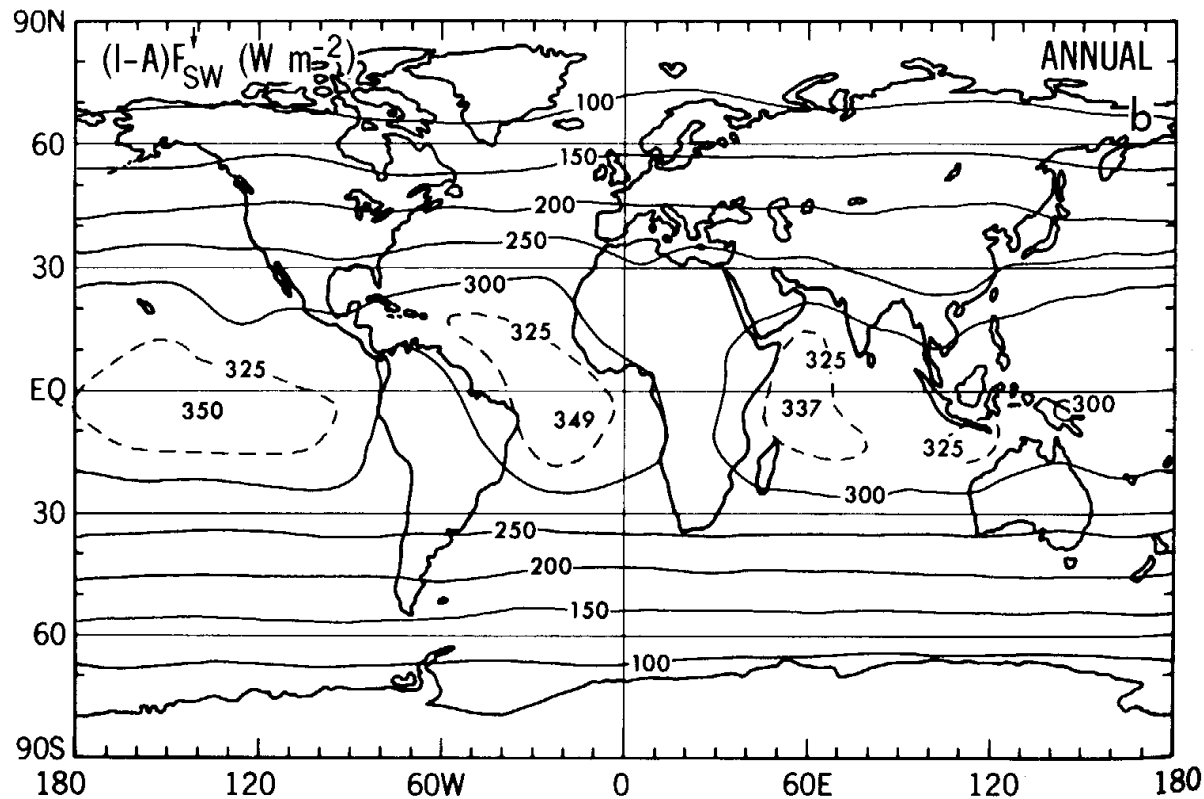
From Peixoto and Oort, 1992



Zonal variation of TOA energy flux



- Net short wave radiation



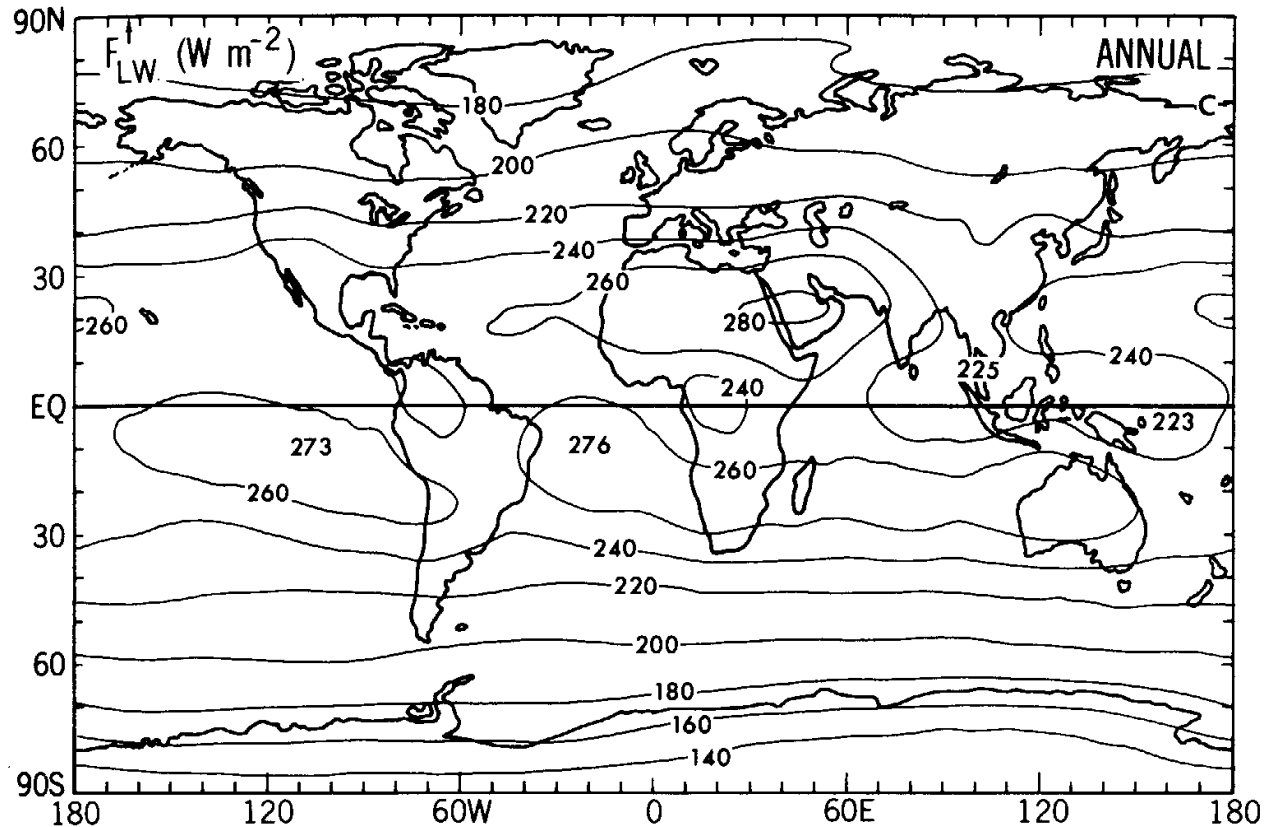
From Peixoto and Oort, 1992



Zonal variation of TOA energy flux



■ Net longwave radiation



From Peixoto and Oort, 1992

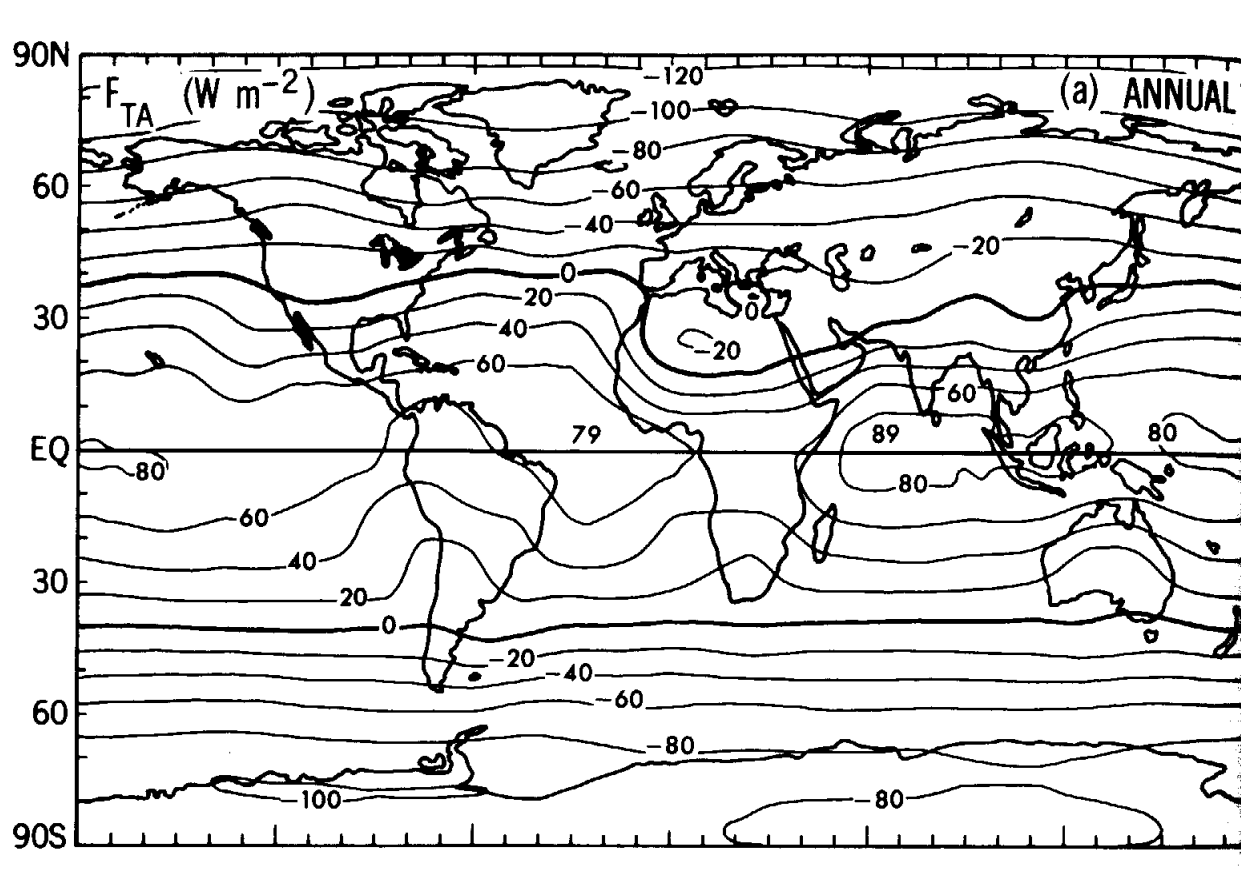


Zonal variation of TOA energy flux



Review

- Net radiation at TOA



From Peixoto and Oort, 1992



Zonal variation of TOA energy flux



- Relatively small zonal variation in solar radiation, planetary albedo and OLR;
- Ocean regions generally gain more energy than the land regions.
- Strong latitudinal variation:
 - planetary albedo: 0.2 to 0.6
 - absorbed solar radiation: 350 to 100 W/m²
 - outgoing longwave radiation: 270 to 160 W/m²



Energy budget at SURFACE



$$\rho_g C_{pg} H_{sur} \frac{\partial T_g}{\partial t} = F_{sur} + D_{fx},$$

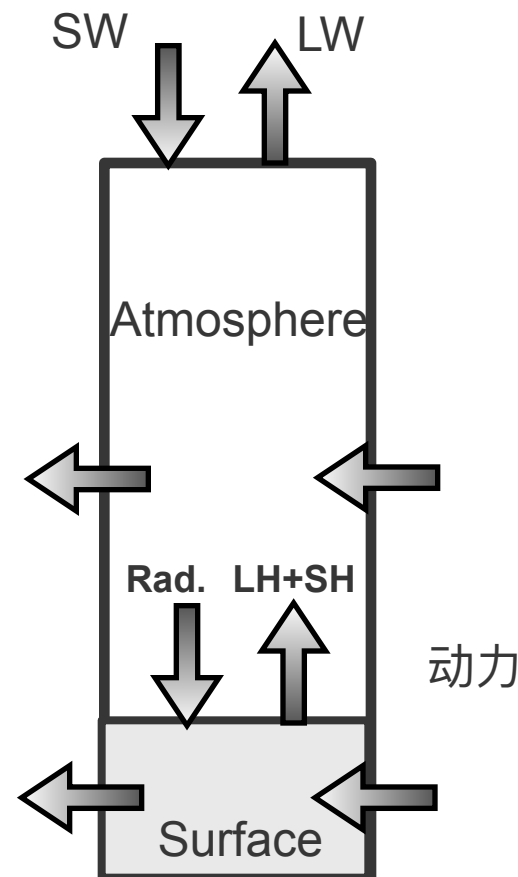
$$F_{sur} = F_{rad} - F_{sh} - F_{lh}$$

specific heat of ocean water: 4187 J/(kg* K)

specific heat of land: 840 J/(kg* K)

specific heat of ice at 273K: 2106 J/(kg* K)

specific heat of atmosphere at constant pressure: 1004 J/(kg* K)



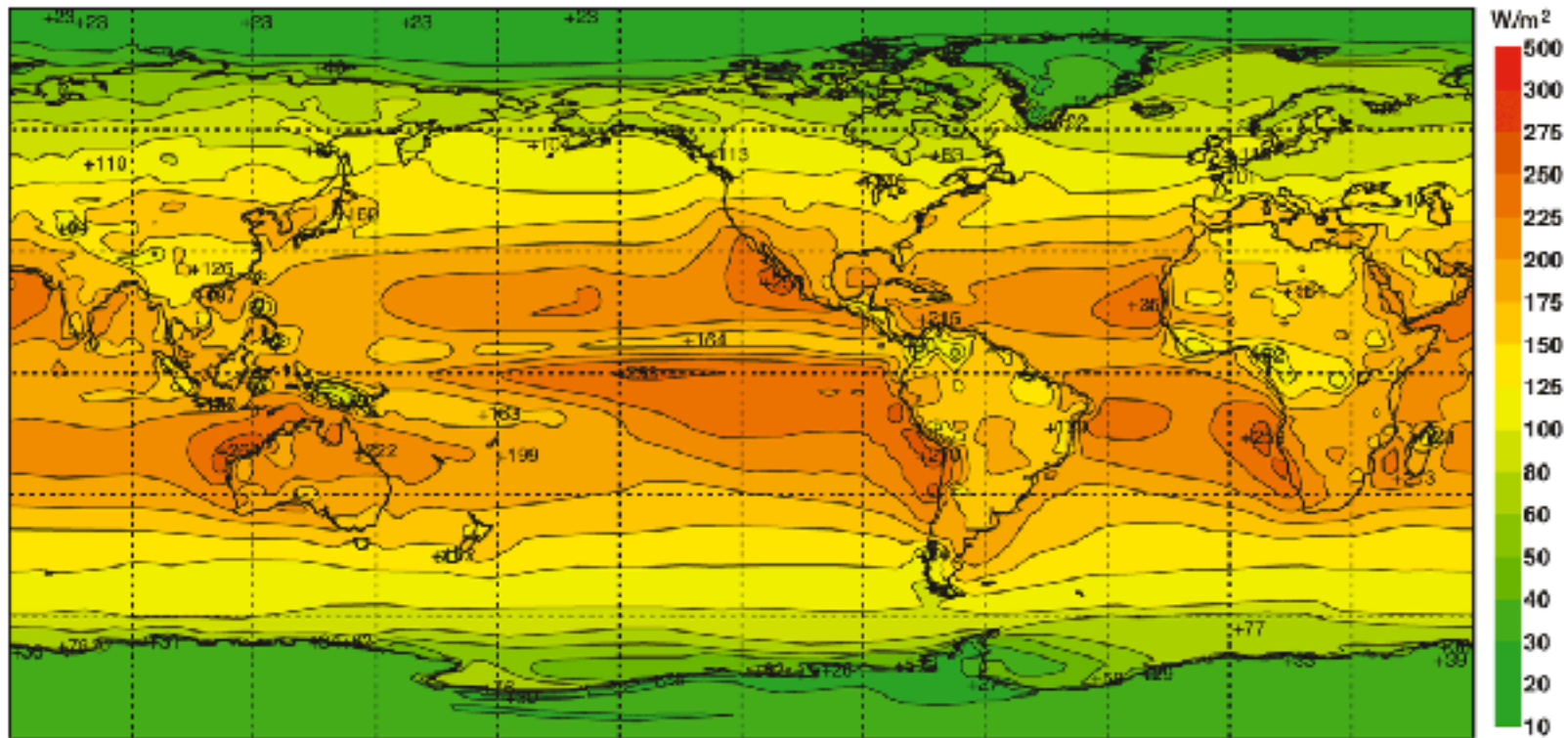


Zonal variation of surface energy flux – SW radiation



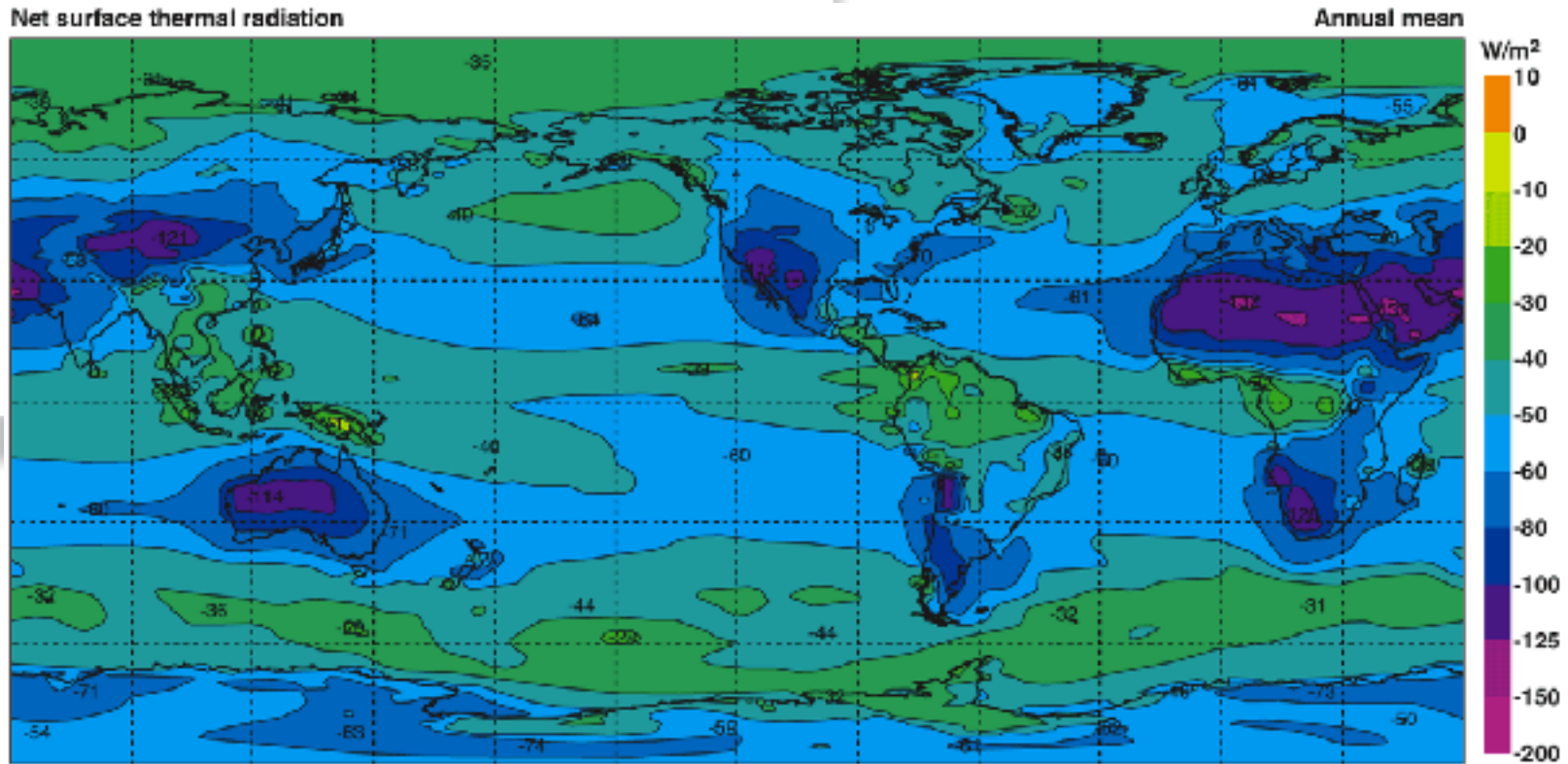
Net surface solar radiation

Annual mean



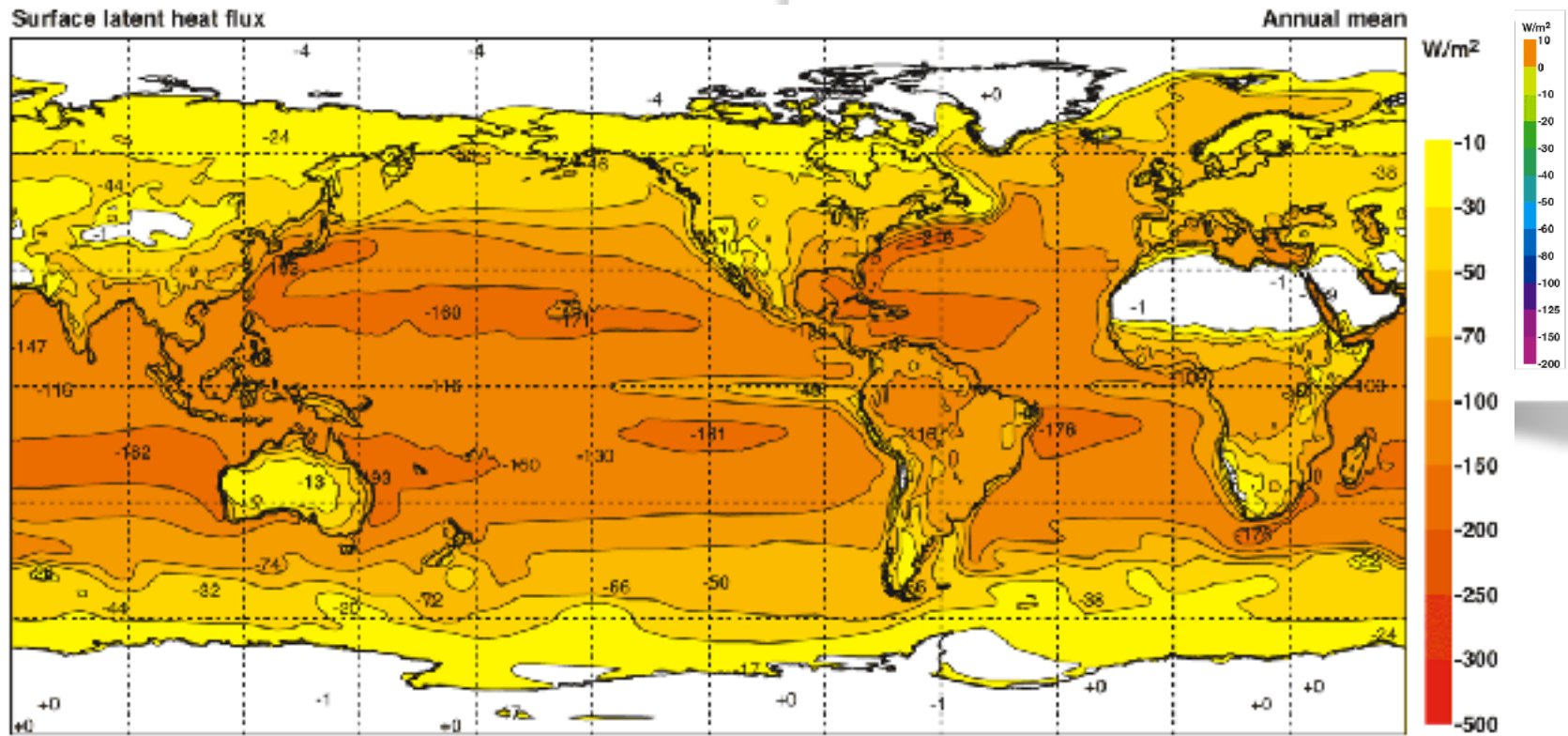


Zonal variation of surface energy flux – LW radiation



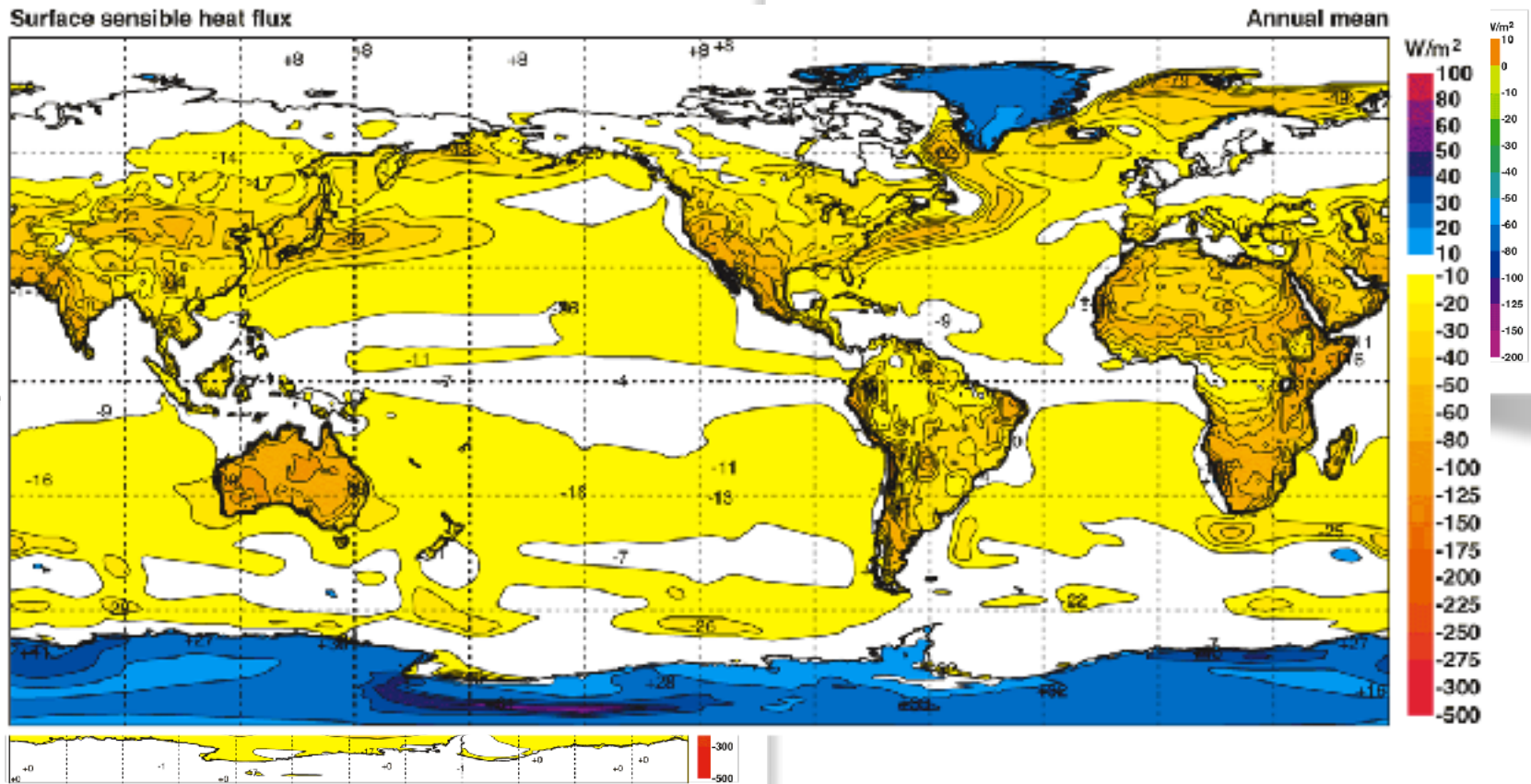


Zonal variation of surface energy flux – latent heat





Zonal variation of surface energy flux – Sensible heat

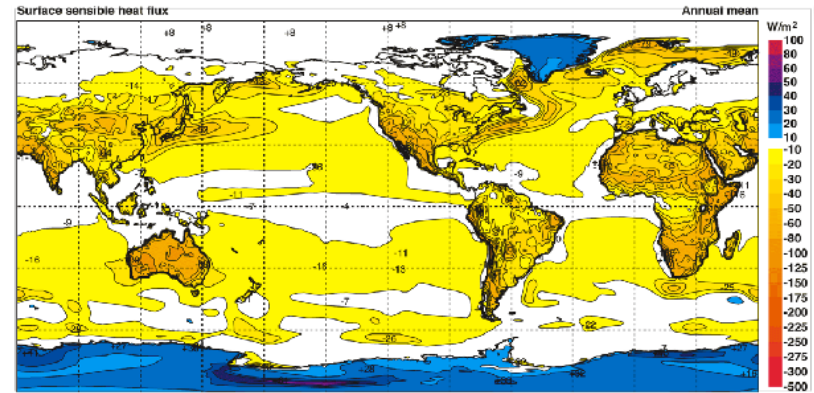
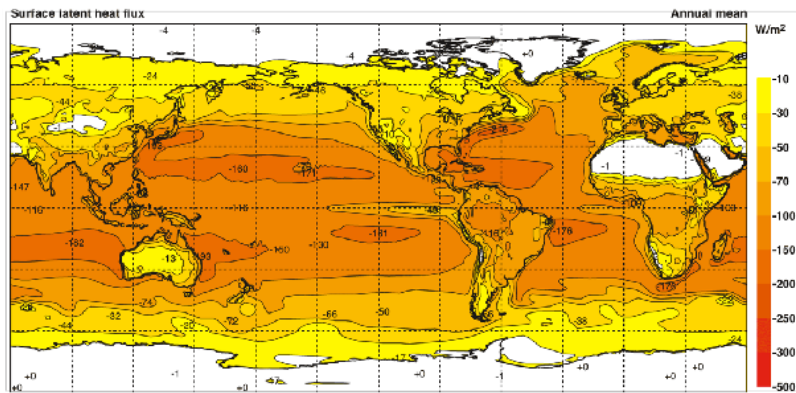
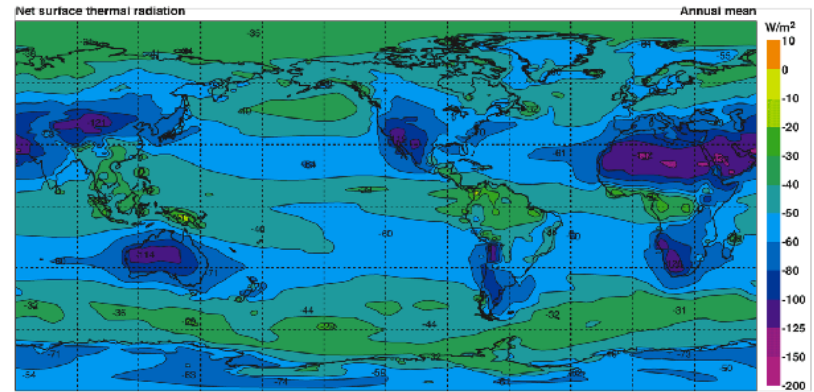
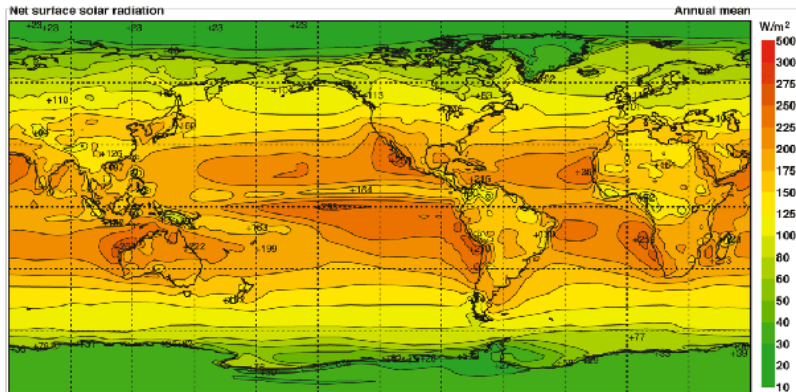


From Stewart, 2005
Introduction to Physical Oceanography

授课教师：张洋 21



Zonal variation of surface energy flux

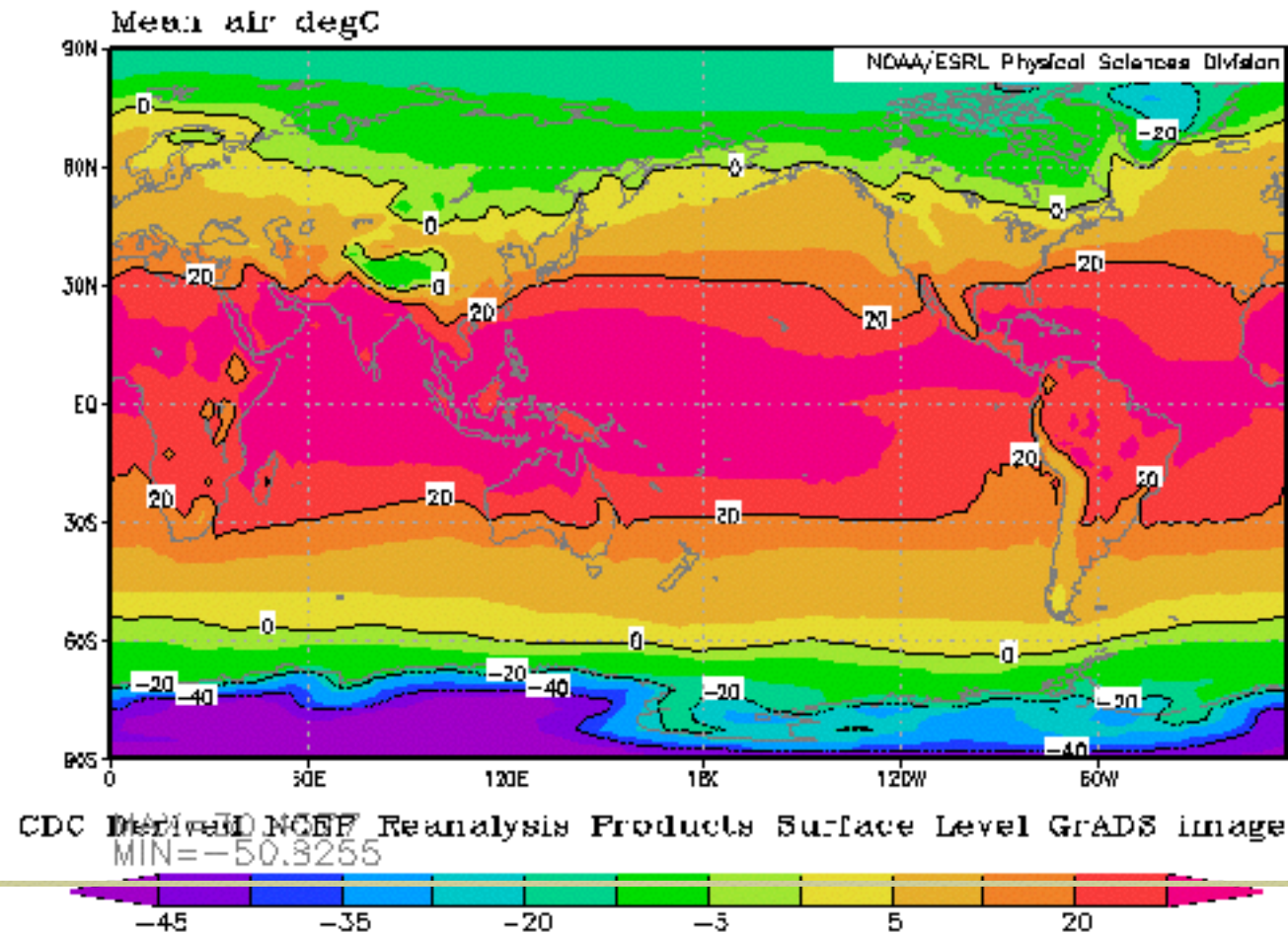




Zonal variation of surface energy flux



■ Surface air

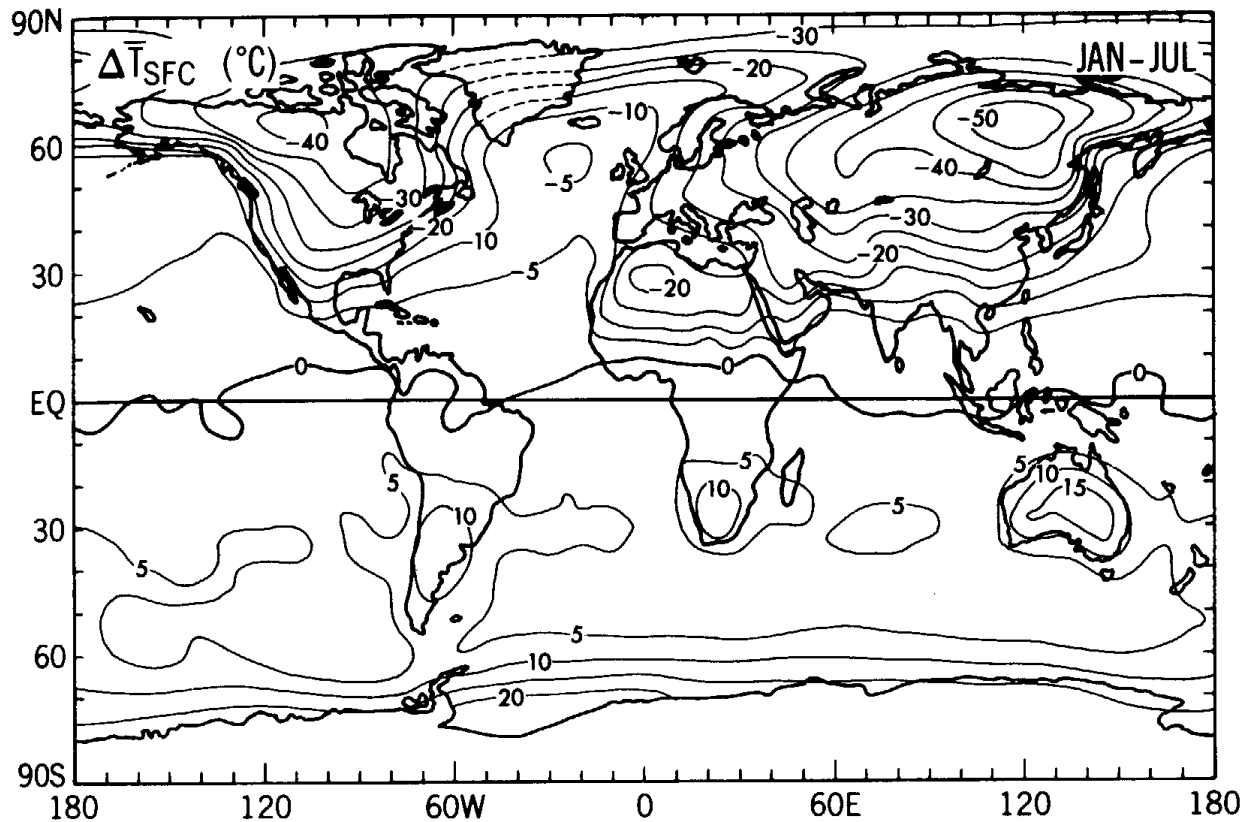




Zonal variation of surface energy flux



■ Seasonal variation of surface temperature



From Peixoto and Oort, 1992



Zonal variation of surface energy flux



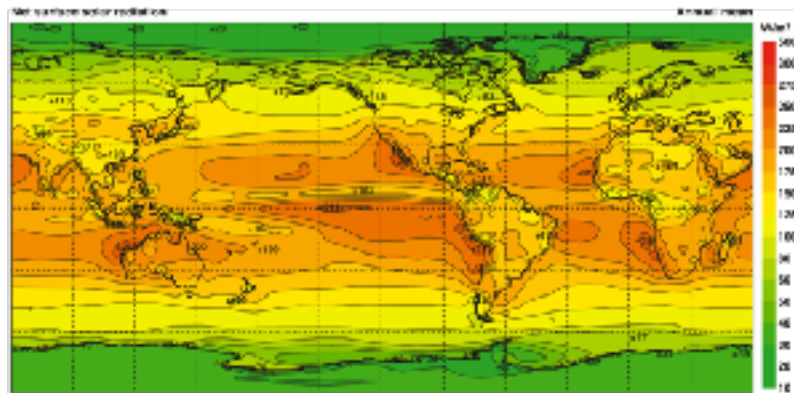
- Stronger zonal variation in surface LW, LH, SH and surface temperature
 - LW: stronger infrared cooling over land.
 - LH: stronger over ocean surface but weak over land
 - SH: stronger over land surface but weak over ocean
 - surface air temperature: stronger meridional temperature gradient and seasonal variation over land.



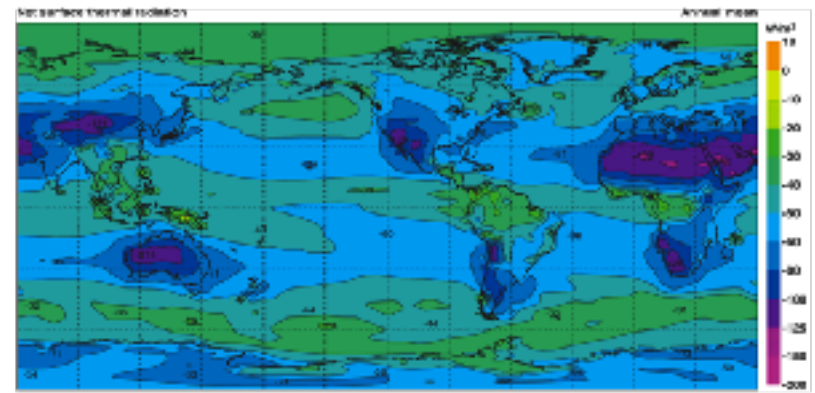
Zonal variation of surface energy flux



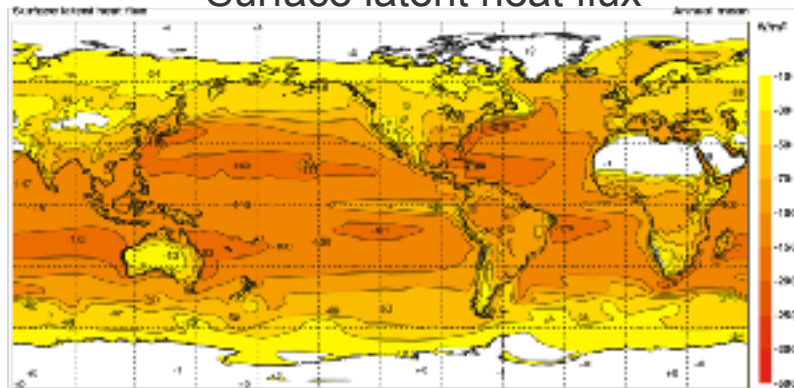
Net surface solar radiation



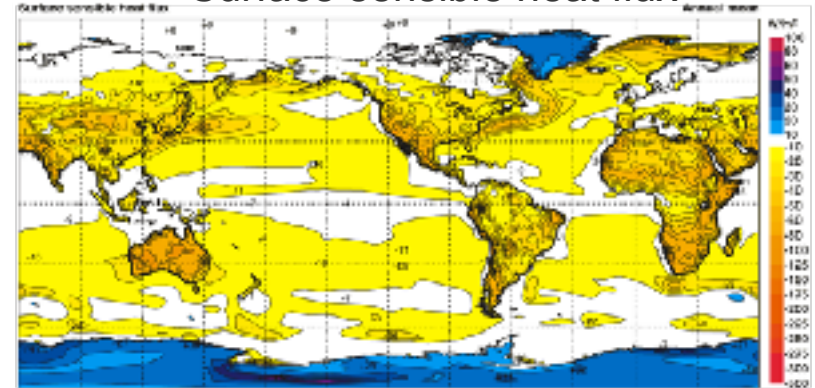
Net surface infrared radiation



Surface latent heat flux



Surface sensible heat flux





Zonal variation of surface energy flux



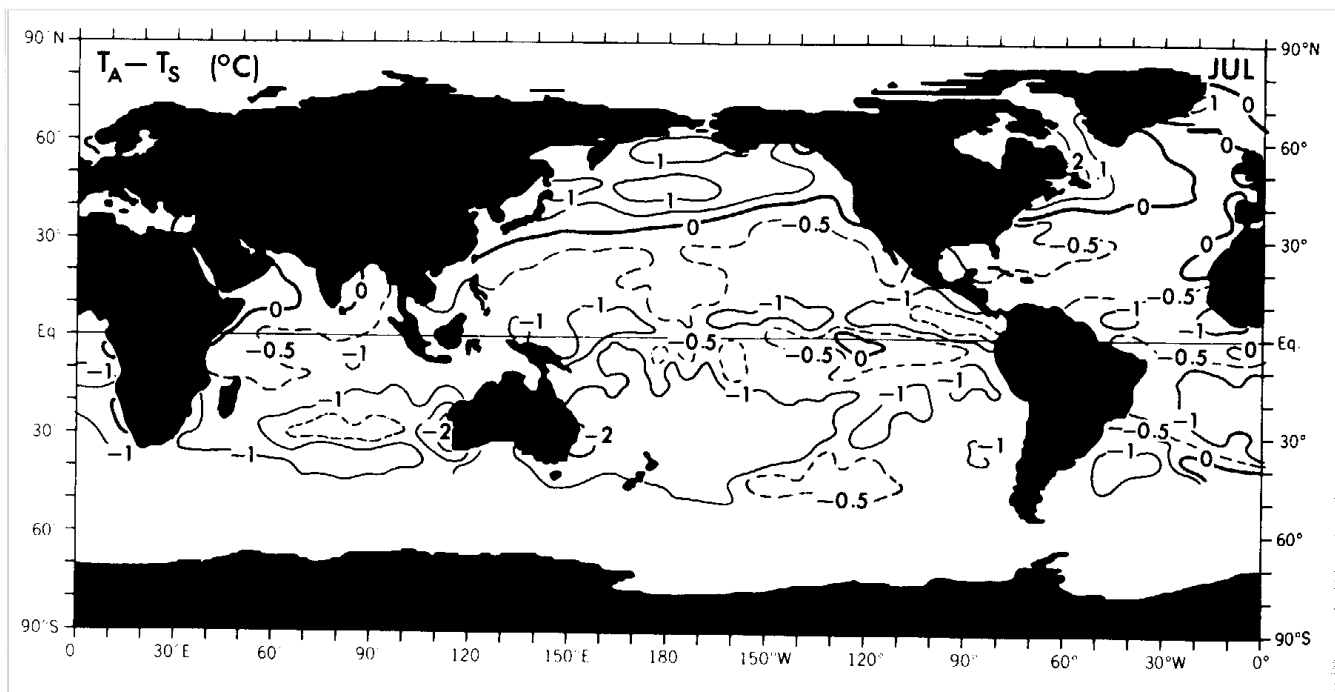
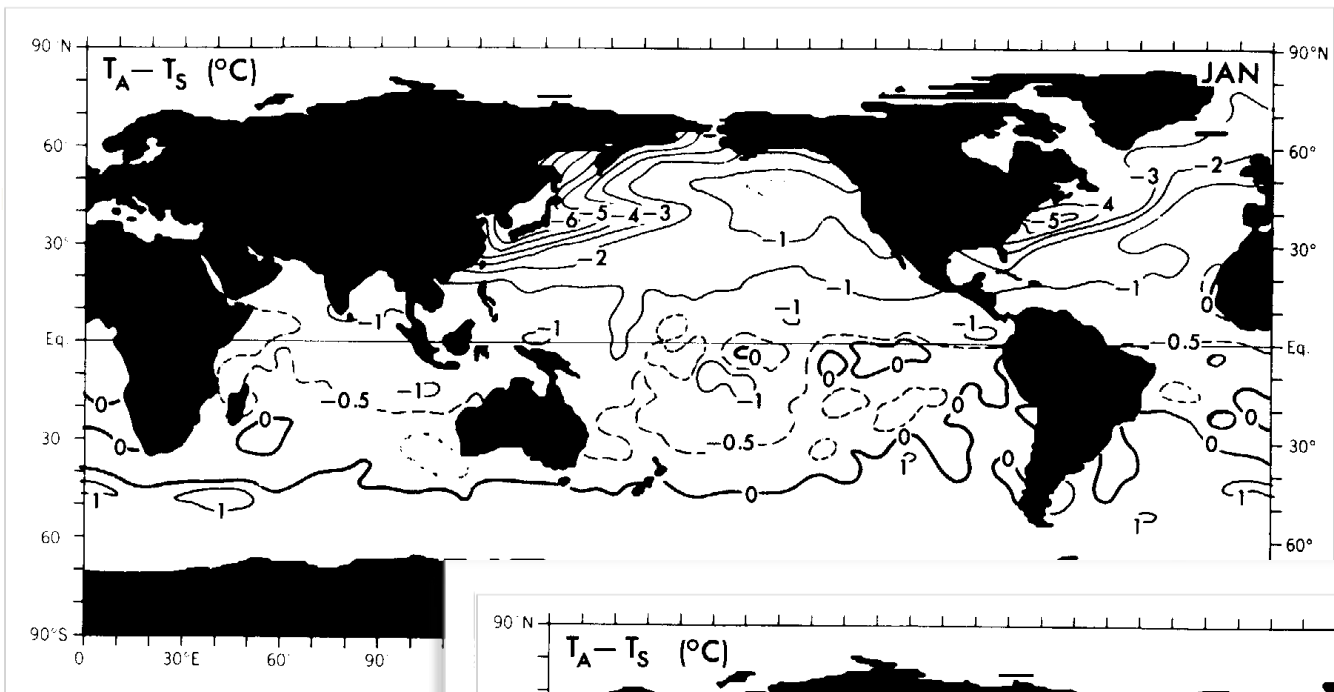
Surface sensible heat flux:

$$SH = c_p \rho \overline{\omega T} \approx c_p \rho C_d |\mathbf{v}| (T_s - T_a)$$

T_s - surface temperature

T_a - surface air temperature

Surface latent heat flux:





Zonal variation of surface energy flux



Surface sensible heat flux:

$$SH = c_p \rho \overline{\omega T} \approx c_p \rho C_d |\mathbf{v}| (T_s - T_a)$$

T_s - surface temperature

T_a - surface air temperature

Surface latent heat flux:

$$LH = L \rho \overline{\omega q} \approx L \rho C_d |\mathbf{v}| (q_s - q_a)$$

q_s - specific humidity at surface

q_a - specific humidity of surface air

For ocean surface,

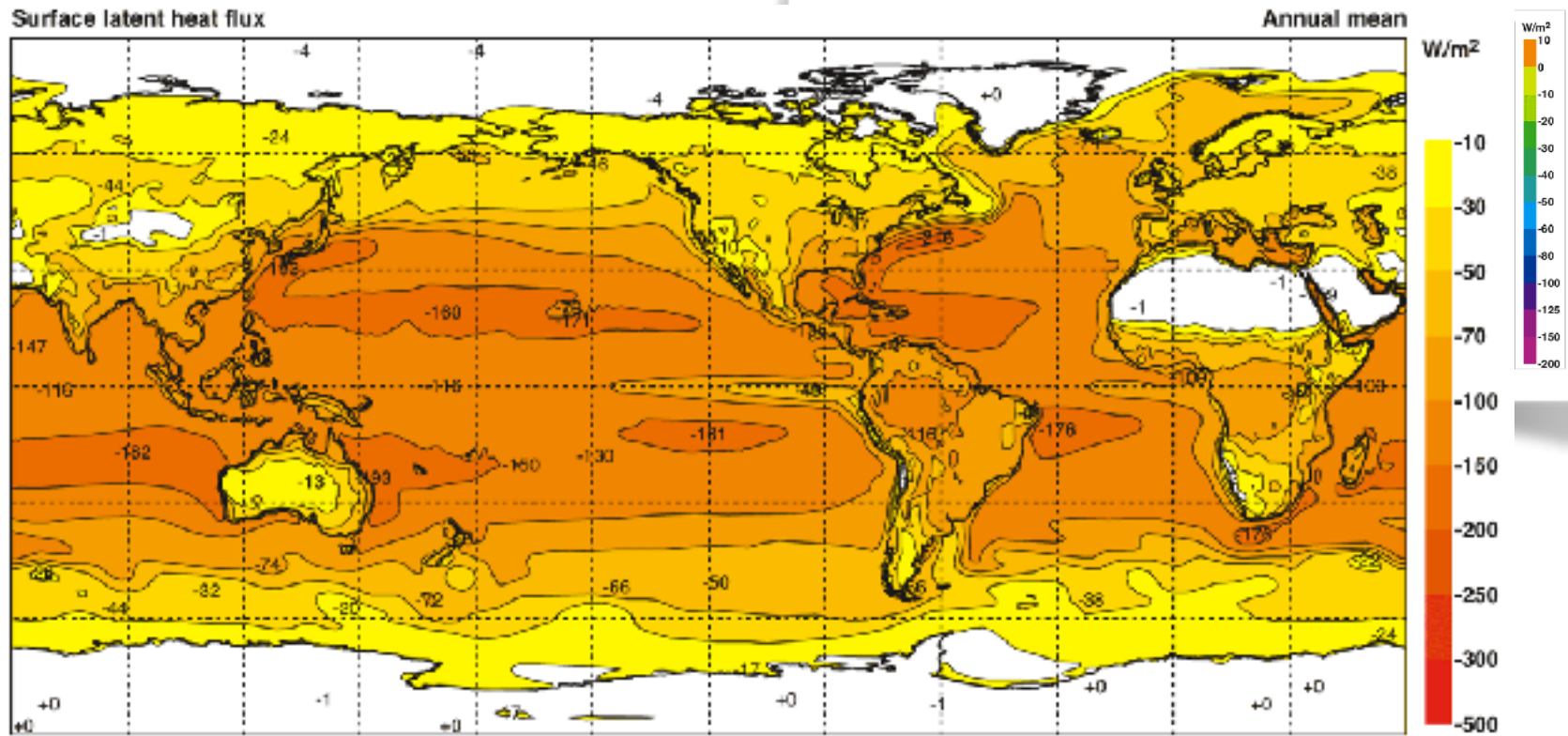
$$q_s = q^*(T_s)$$

$$q_a = RH \cdot q^*(T_a) = RH \cdot \left[q^*(T_s) + \frac{\partial q^*}{\partial T} (T_a - T_s) \right]$$

$$\begin{aligned} q_s - q_a &= q^*(T_s) - RH \cdot \left[q^*(T_s) + \frac{\partial q^*}{\partial T} (T_a - T_s) \right] \\ &= q^*(T_s)(1 - RH) + RH \cdot \frac{\partial q^*}{\partial T} (T_s - T_a) \end{aligned}$$



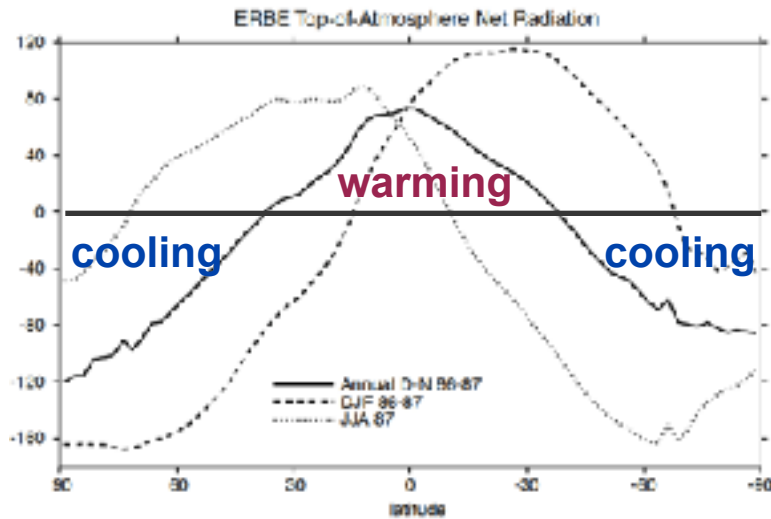
Zonal variation of surface energy flux – latent heat





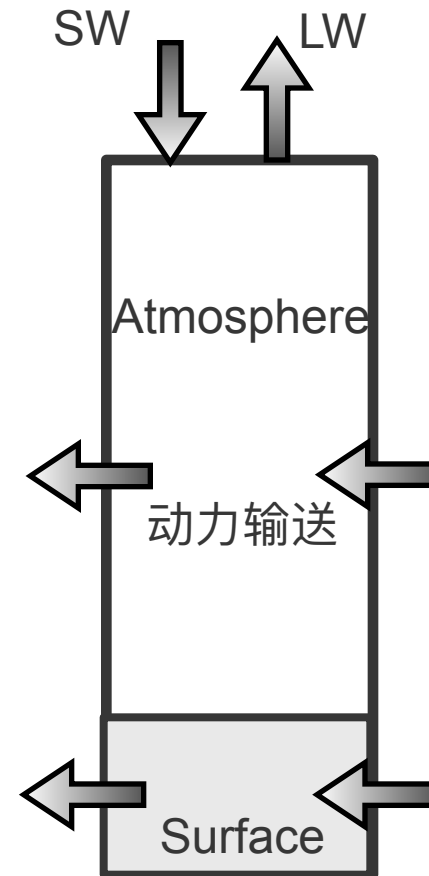
大气环流的外部强迫(III)

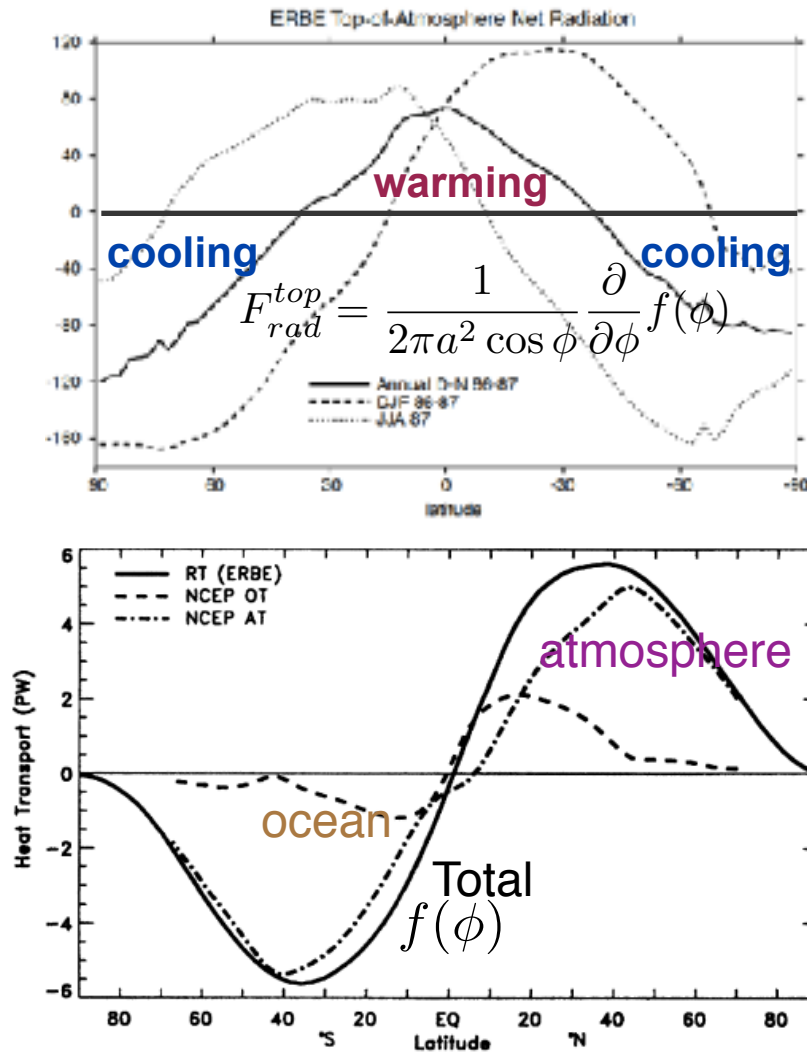
– *Simple energy balance
climate model*



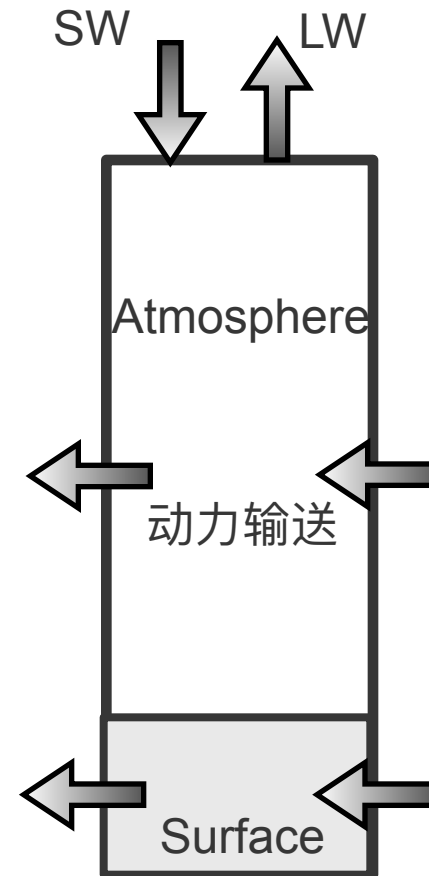
$$F_{rad}^{top} = \frac{1}{2\pi a^2 \cos \phi} \frac{\partial}{\partial \phi} f(\phi)$$

$f(\phi)$ – meridional energy transport
by atmosphere and oceans





Wunsch (2005), J. Climate





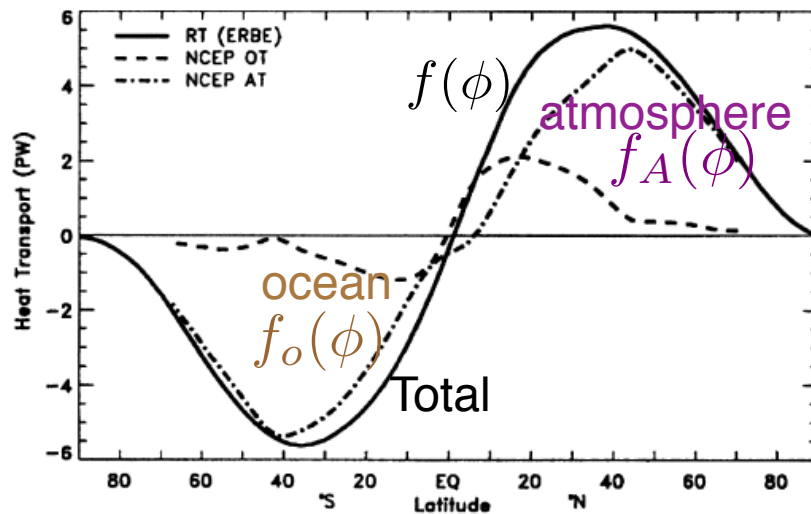
$$F_{rad}^{top} = \frac{1}{2\pi a^2 \cos \phi} \frac{\partial}{\partial \phi} f(\phi)$$

Atmosphere:

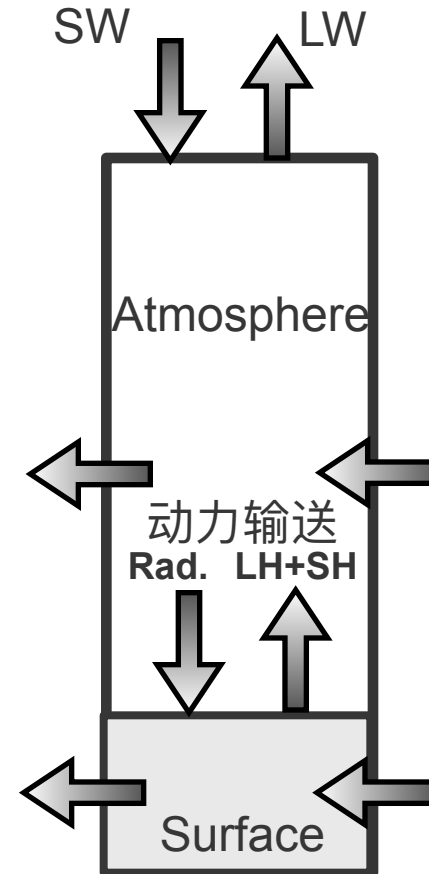
$$F_{rad}^{top} - F_{rad}^{sfc} + F_{LH} + F_{SH} = \frac{1}{2\pi a^2 \cos \phi} \frac{\partial}{\partial \phi} f_A(\phi)$$

Ocean:

$$F_{rad}^{sfc} - F_{LH} - F_{SH} = \frac{1}{2\pi a^2 \cos \phi} \frac{\partial}{\partial \phi} f_o(\phi)$$

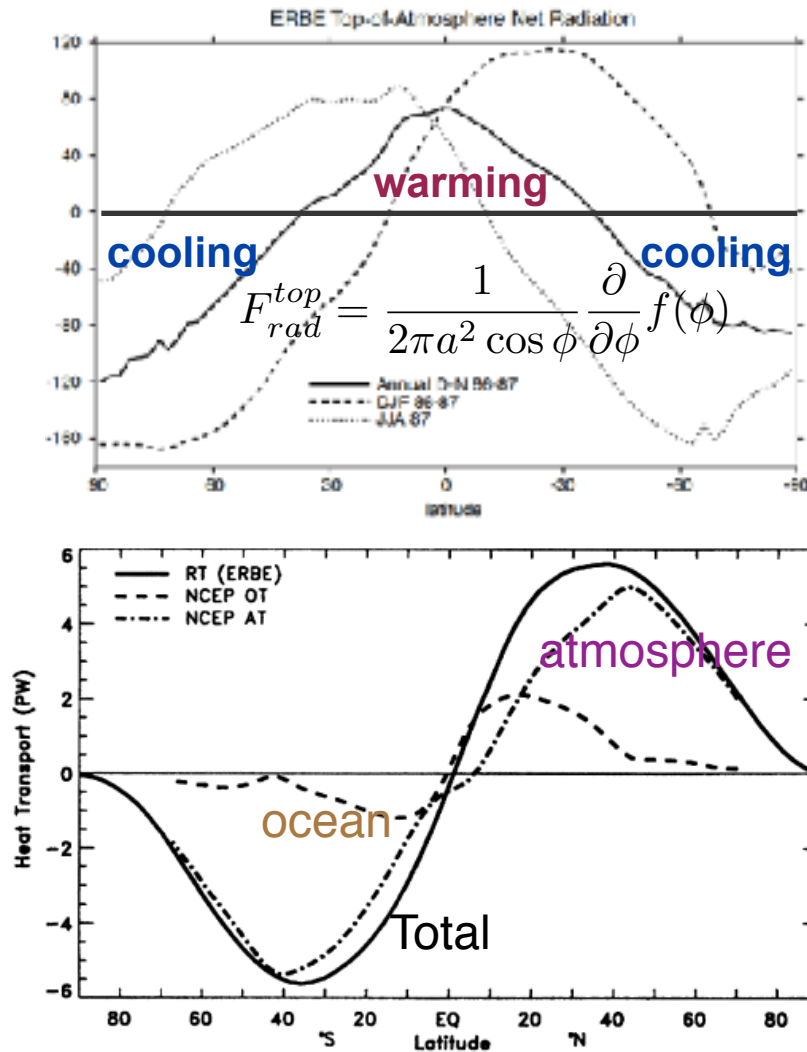


Wunsch (2005), J. Climate

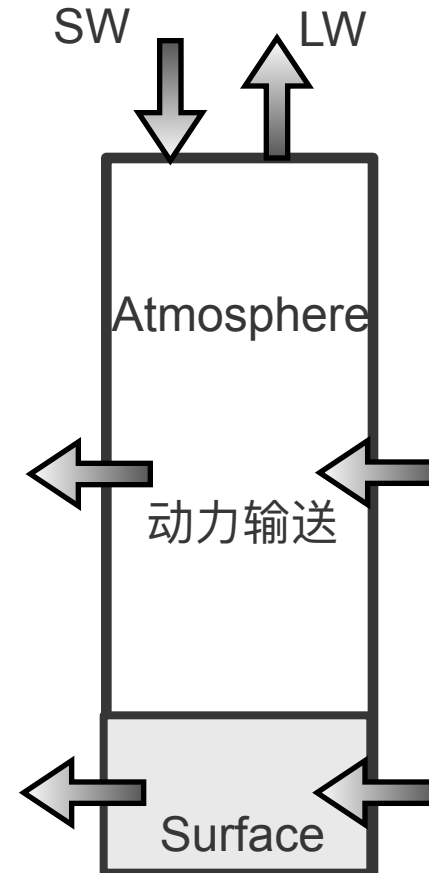




Simple energy balance climate models



Wunsch (2005), J. Climate





Simple energy balance climate models



- Simplest models in which the interactions between **radiation** and **dynamic heat transport** can be considered.

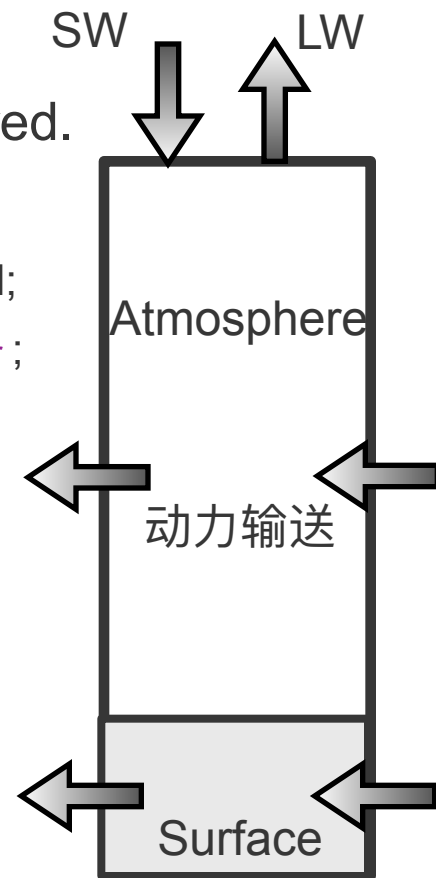
- Assumptions are made below:

- **One-dimensional**, only latitude dependences are considered;
- Global energy budgets are assumed to be expressed in T_{sur} ;
- Only **annual mean** conditions are considered;

$$c \frac{\partial T(x, t)}{\partial t} = \text{solar radiation} - \text{infrared cooling} \\ - \text{divergence of heat flux}$$

$x = \sin \phi$, where ϕ is latitude.

$$c \frac{\partial T(x, t)}{\partial t} = F_{rad}^{top} - \frac{1}{2\pi a^2} \frac{\partial}{\partial x} f(x)$$





Simple energy balance climate models



$$c \frac{\partial T(x, t)}{\partial t} = \text{solar radiation} - \text{infrared cooling} \\ - \text{divergence of heat flux}$$

$x = \sin \phi$, where ϕ is latitude.

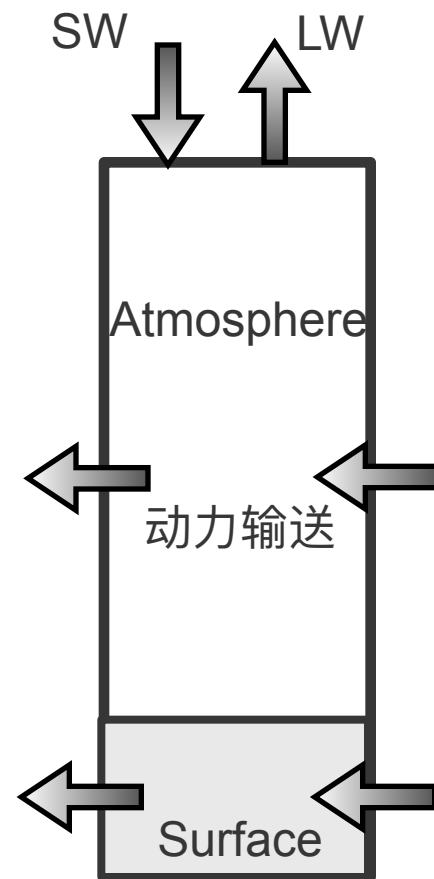
$$\text{solar radiation} = Qs(x)\mathcal{A}(T)$$

$s(x)$ – latitudinal distribution of SW, whose integral from the equator to pole is unity

$$c \frac{\partial T(x, t)}{\partial t} = Qs(x)\mathcal{A}(T) - I(T) + F(T)$$

In equilibrium,

$$Qs(x)\mathcal{A}(T) - I(T) + F(T) = 0$$





Simple energy balance climate models



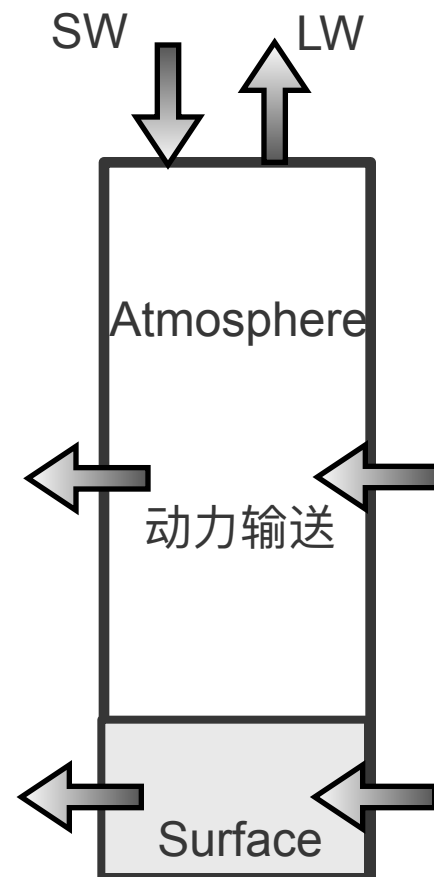
In equilibrium,

$$Q_s(x)\mathcal{A}(T) - I(T) + F(T) = 0$$

The snow line case:

- Made assumptions below:
 - Planetary albedo is assumed to depend primarily on snow /ice cover;

$$\begin{aligned}\mathcal{A}(T) &= \alpha, & \text{for } T < T_{snow} \\ \text{or } &= \beta, & \text{for } T > T_{snow}\end{aligned}$$





Simple energy balance climate models



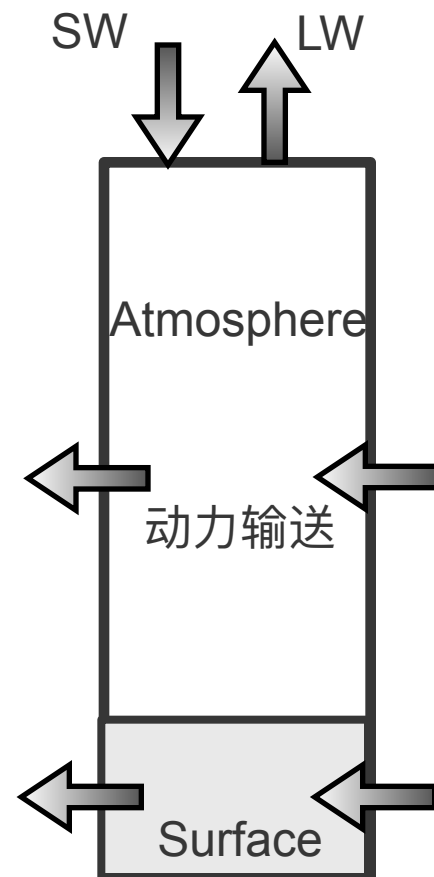
In equilibrium,

$$Q_s(x)\mathcal{A}(T) - I(T) + F(T) = 0$$

The snow line case:

- Made assumptions below:
 - Planetary albedo is assumed to depend primarily on snow /ice cover;
 - The infrared cooling $I = A + BT$

$$\begin{aligned}\mathcal{A}(T) &= \alpha, & \text{for } T < T_{\text{snow}} \\ \text{or } &= \beta, & \text{for } T > T_{\text{snow}}\end{aligned}$$





Simple energy balance climate models



In equilibrium,

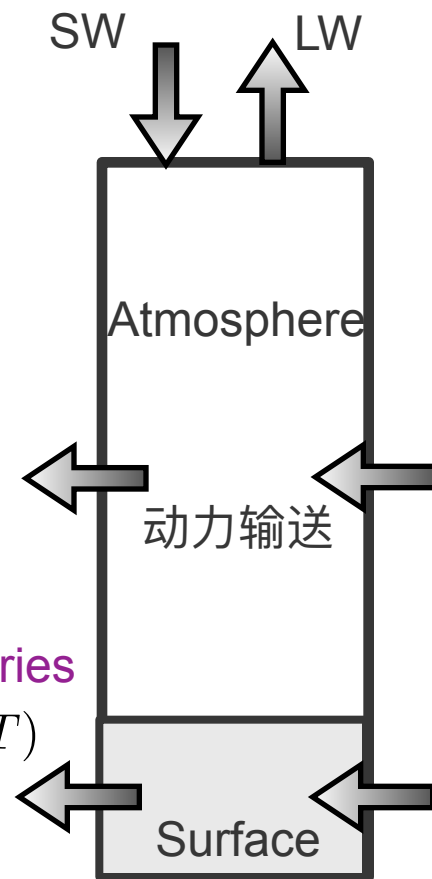
$$Q_s(x)\mathcal{A}(T) - I(T) + F(T) = 0$$

The snow line case:

- Made assumptions below:
 - Planetary albedo is assumed to depend primarily on snow /ice cover;
 - The infrared cooling $I = A + BT$
 - The primary feature of the heat transport is that it carries heat from warmer to colder regions. $F(T) = C(\bar{T} - T)$

$$\begin{aligned}\mathcal{A}(T) &= \alpha, & \text{for } T < T_{\text{snow}} \\ \text{or } &= \beta, & \text{for } T > T_{\text{snow}}\end{aligned}$$

Note: $F(T)$ is the
divergence of heat flux





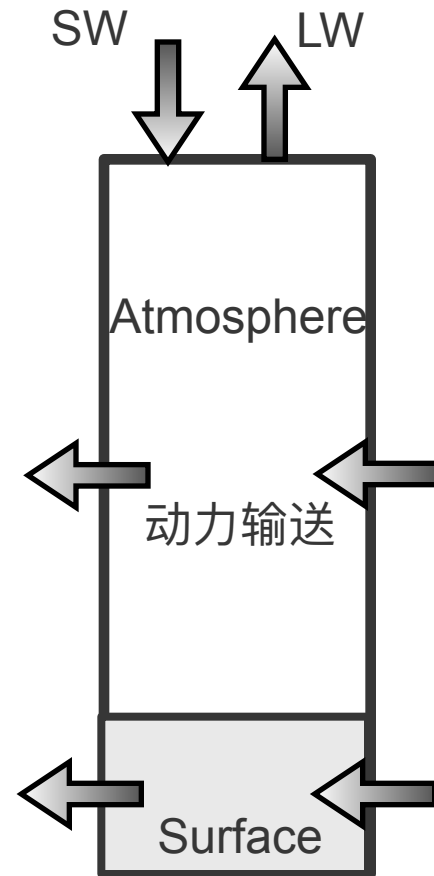
Simple energy balance climate models



In equilibrium,

$$Q_s(x)\mathcal{A}(T) - I(T) + F(T) = 0$$

- **One-dimensional**, only latitude dependences are considered;
- Global energy budgets are assumed to be expressed in T_{sur} ;
- **Planetary albedo** is assumed to depend primarily on **snow /ice cover**;
- Only **annual mean** conditions are considered;
- The primary feature of the heat transport is that it **carries heat from warmer to colder** regions.



Budyko, M.I. (1969). The effect of solar radiation variations on the climate of the earth. *Tellus* **21**, 611-619.



Simple energy balance climate models



In equilibrium,

$$Qs(x)\mathcal{A}(T) - I(T) + F(T) = 0$$

The snow line case: **infrared cooling** $I = A + BT$

$$F(T) = C(\bar{T} - T)$$

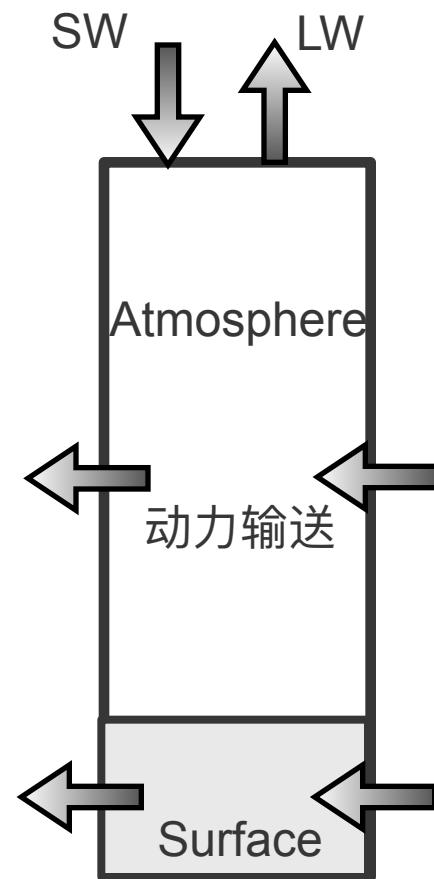
Assume:

$$\begin{aligned}\mathcal{A}(T) &= \alpha = 0.4, & \text{for } T < T_{snow} \\ &= \beta = 0.7, & \text{for } T > T_{snow} \\ &= \frac{\alpha + \beta}{2}, & \text{for } T = T_{snow}\end{aligned}$$

$$T_{snow} = -10^\circ\text{C}$$

$$s(x) = 1 - 0.241(3x^2 - 1)$$

$$A = 211.1 \text{ Wm}^{-2}, \text{ and } B = 1.55 \text{ Wm}^{-2}(\text{ }^\circ\text{C})^{-1}$$





Simple energy balance climate models



In equilibrium,

$$Qs(x)\mathcal{A}(T) - I(T) + F(T) = 0$$

The snow line case: infrared cooling $I = A + BT$

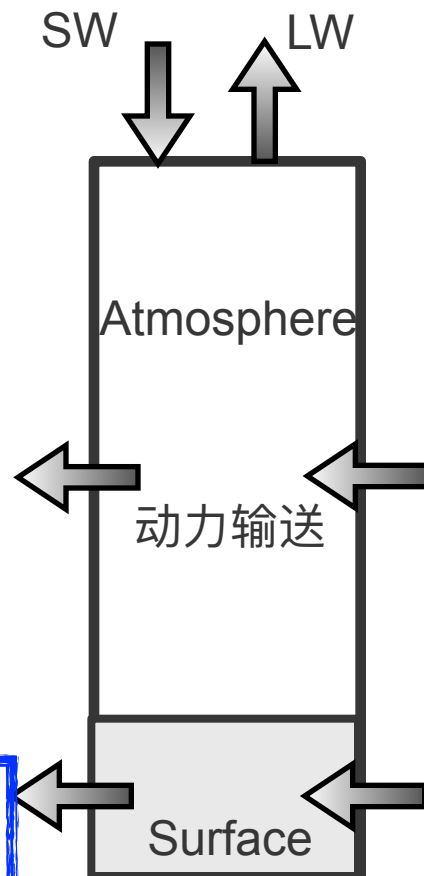
$$F(T) = C(\bar{T} - T)$$

Hemisphere average:

$$\bar{T} = \int_0^1 T dx \quad \bar{I} = \int_0^1 I dx \quad F(I) = (C/B)(\bar{I} - I)$$

Radiation balance

$$\begin{aligned} \bar{I}/Q &= \int_0^1 s(x)\mathcal{A}(x)dx \\ &= (\beta - \alpha)(1.241x_s - 0.241x_s^3) + \alpha \end{aligned}$$





Simple energy balance climate models



In equilibrium,

$$Q_s(x)\mathcal{A}(T) - I(T) + F(T) = 0$$

The snow line case:

$$I/Q = \frac{\frac{C}{B}\bar{I}/Q + s(x)\mathcal{A}(x, x_s)}{1 + \frac{C}{B}}$$

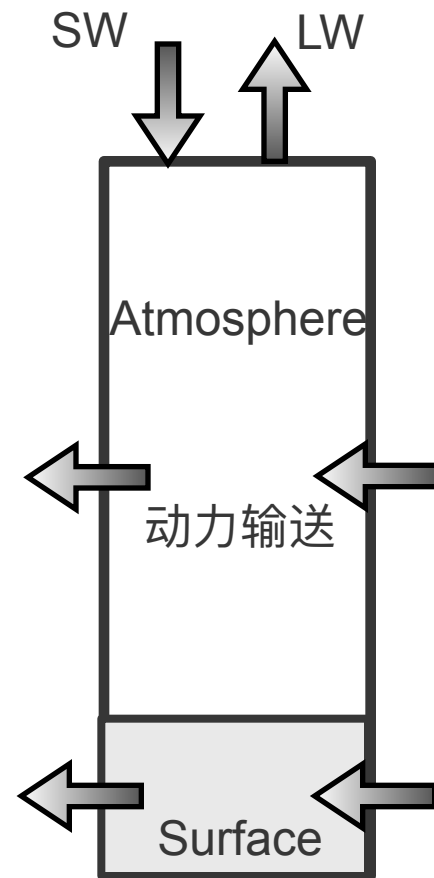
Determine C using current climate:

$$x_s = 0.95; Q = Q_o = 340 \text{ W/m}^2$$

$$I(x_s) = I(0.95) = I(T_{snow}), \text{ get the value of } \frac{C}{B}$$

Then

$$Q(x_s) = \frac{(1 + \frac{C}{B})(A + BT_{snow})}{\frac{C}{B}\bar{I}/Q + s(x_s)\frac{\alpha+\beta}{2}}$$





Simple energy balance climate models

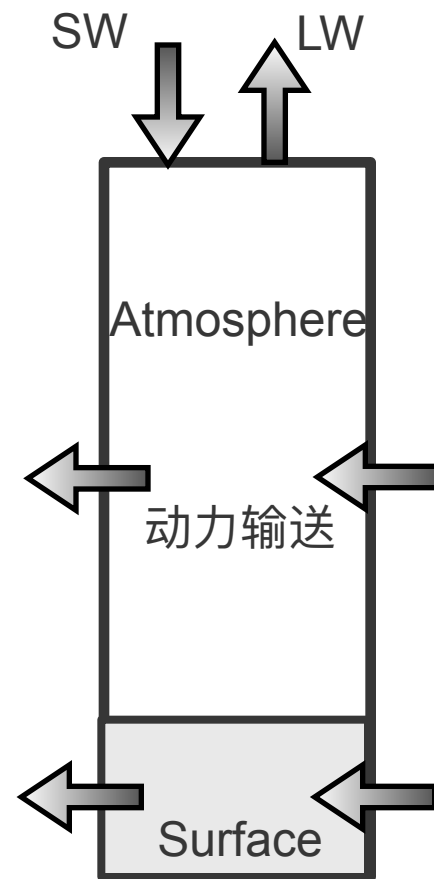


The snow line case:

$$Q(x_s) = \frac{(1 + \frac{C}{B})(A + BT_{snow})}{\frac{C}{B} \bar{I}/Q + s(x_s) \frac{\alpha + \beta}{2}}$$

The denominator:

$$\begin{aligned} den = & \frac{\alpha + \beta}{2} \times 1.241 + \alpha \frac{C}{B} \\ & + \frac{C}{B} (\beta - \alpha) \times 1.241 x_s \\ & - \frac{\alpha + \beta}{2} \times 0.723 x_s^2 \\ & - \frac{C}{B} (\beta - \alpha) \times 0.241 x_s^3 \end{aligned}$$





Simple energy balance climate models



The snow line case:

$$Q(x_s) = \frac{(1 + \frac{C}{B})(A + BT_{snow})}{\frac{C}{B}\bar{I}/Q + s(x_s)\frac{\alpha+\beta}{2}}$$

If $C=0$, no heat flux, **radiative equilibrium**, then as x_s increases, den. decreases, Q increases.

太阳辐射越强，冰雪线越向两极移动

If C is nonzero,

$$\begin{aligned} den = & \frac{\alpha + \beta}{2} \times 1.241 + \alpha \frac{C}{B} \\ & + \frac{C}{B}(\beta - \alpha) \times 1.241x_s \\ & - \frac{\alpha + \beta}{2} \times 0.723x_s^2 \\ & - \frac{C}{B}(\beta - \alpha) \times 0.241x_s^3 \end{aligned}$$



Simple energy balance climate models



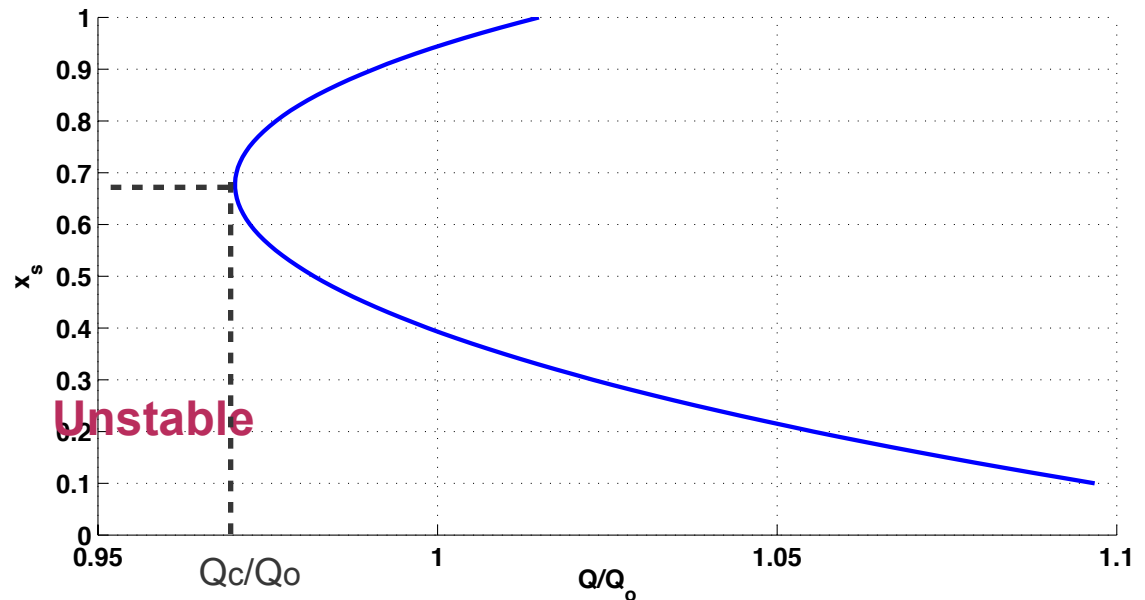
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If C is nonzero,

The destabilizing effect of heat transport

There is a minimum value
of Q, below which the
climate will unstably
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Simple energy balance

climate models



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